Unit 1: Mechanics and Materials - Mark scheme

Question number	Answer	Mark
number		
1	A	1
2	D	1
3	В	1
4	В	1
5	A	1
6	В	1
7	В	1
8	C	1
9	D	1
10	D	1

Question	Answer		Mark
number 11	 Either Additional measurement: diameter of wire Plot a graph of the applied weight on the y-axis against the extension on the x-axis Calculate the gradient of linear region Calculate the cross-sectional area of the wire using πd²/4 	(1) (1) (1) (1)	5
	• $E = \text{gradient} \times \frac{\text{original lenth}}{\text{cross sectional area}}$ Or	(1)	
	 Additional measurement: diameter of wire Calculate the cross-sectional area of the wire using πd²/4 Calculate the stress for each applied force using force/area and the strain using extension original lenth Plot a graph of stress on the y-axis against strain on the x-axis Gradient of linear region = E 	(1) (1) (1) (1) (1)	
	Total for Question 11		5

Question	Answer		Mark
number			
12(a)			2
	 As the spring is released it extends and applies a force to 		
	trolley B	(1)	
	• Then due to N3, trolley B applies an equal and opposite force to		
	trolley A	(1)	
12(b)	Either		3
	• Total initial momentum = 0	(1)	
	• $0.1v_A - 0.2v_B = 0$	(1)	
	• $v_A = 2v_B$ so trolley A has the greater speed	(1)	
	Or		
	• Total initial momentum = 0	(1)	
	Trolleys will have equal and opposite momenta	(1)	
	• Lighter trolley A has the greater speed	(1)	
	Total for Question 12		5

Question number	Answer	Mark
number 13	• Use of trig to determine the initial vertical velocity Or see 20cos 75 Or see 20cos 15 • Use of equation(s) of motion to determine the time for either the first ball or the second ball • Use of $t_2 - t_1$ using candidate's values for t_1 and t_2 • Time difference = 2.9 s (1) Example of calculation If t_1 and t_2 represent the time for the balls to travel from child P to Q Equation for first ball $0 = (20 \text{ m s}^{-1} \times \sin 75)t_1 + (\frac{1}{2}gt_1^2)$ $t_1 = 3.94 \text{ s}$ Equation for second ball $0 = (20 \text{ m s}^{-1} \times \sin 15)t_2 + (\frac{1}{2}gt_2^2)$	
	$t_2 = 1.06 \text{ s}$ $t_1 - t_2 = 3.94 \text{ s} - 1.06 \text{ s} = 2.88 \text{ s}$	
	Total for Question 13	4

Question number						
14(a)	The point through which the weight appears to act	(1)	1			
14(b)	 Measurement of the perpendicular distance of the line of action of the weight from O Use of W = mg Use of moment = force × perpendicular distance from the pivot Moment = 0.023 N m 	(1) (1) (1) (1)	4			
	Example of calculation Perpendicular distance = 1.3 cm Weight of triangle = $0.180 \text{ kg} \times 9.81 \text{ N kg}^{-1} = 1.77 \text{ N}$ Moment of weight of the triangle = $1.77 \text{ N} \times (0.013 \text{ m}) = 0.023 \text{ N m}$					
14(c)	 The centre of gravity is now vertically below O Or the perpendicular distance of the weight from O is now zero So there is no longer a moment for the weight about O 	(1)	2			
	Total for Question 14		7			

15(a) • Construction of correct (shape) vector diagram with resultant • 9.5×10^4 N and 1.2×10^5 N sides labelled with directions Magnitude of resultant force • 1.9×10^3 N ± 0.2 N Direction of resultant force • 24° to the direction of the 1.2×10^5 N force Or 31° to the direction of the 9.5×10^4 N force 1.9 × 10^5 N 1.2 × 10^5 N 1.9 × 10^5 N 1.9 × 10^5 N 1.10 × 10^5	Question number					
• $1.9 \times 10^{5} \mathrm{N} \pm 0.2 \mathrm{N}$ (1) Direction of resultant force • 24° to the direction of the $1.2 \times 10^{5} \mathrm{N}$ force • 24° to the direction of the $9.5 \times 10^{4} \mathrm{N}$ force Or 31° to the direction of the $9.5 \times 10^{4} \mathrm{N}$ force 1.9 × $10^{5} \mathrm{N}$ 1.9 × $10^{5} \mathrm{N}$ 1.9 × $10^{5} \mathrm{N}$ Example of calculation Power = $\frac{1.2 \times 10^{5} \mathrm{N} \times 4.0 \mathrm{m}}{1 \mathrm{s}} = 4.8 \times 10^{5} \mathrm{W}$ 15(b)(ii) • Use of efficiency = $\frac{\mathrm{useful power output}}{\mathrm{total power input}}$ (1) MP1: accept use of a single power for the boat • Efficiency = $0.25 \mathrm{or} 25 \%$ ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^{5} \mathrm{W}}{2 \times 950 \times 10^{3} \mathrm{W}} = 0.25$		• 9.5×10^4 N and 1.2×10^5 N sides labelled with directions		4		
Direction of resultant force • 24° to the direction of the 1.2×10^5 N force • 24° to the direction of the 9.5×10^4 N force • 1.9×10^5 N 1.2 × 10^5 N 1.5(b)(i) • Use of $\Delta W = F\Delta s$ and $P = \frac{W}{t}$ • $P = 4.8 \times 10^5$ W Example of calculation Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5$ W 15(b)(ii) • Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$ • $\frac{15(b)(ii)}{\text{MPl: accept use of a single power for the boat}}$ • Efficiency = $\frac{0.25 \text{ or } 25\%}{2 \times 950 \times 10^3 \text{W}} = 0.25$						
• 24° to the direction of the 1.2×10^5 N force Or 31° to the direction of the 9.5×10^4 N force 1.9 × 10 ⁵ N 1.2 × 10 ⁵ N 1.2 × 10 ⁵ N 1.2 × 10 ⁵ N 1.5(b)(i) • Use of $\Delta W = F\Delta s$ and $P = \frac{W}{t}$ • $P = 4.8 \times 10^5$ W Example of calculation Power = 1.2×10^5 N × 4.0 m		• $1.9 \times 10^5 \text{ N} \pm 0.2 \text{ N}$	(1)			
Or 31° to the direction of the 9.5×10^4 N force $1.9 \times 10^5 \text{ N}$ $1.2 \times 10^5 \text{ N}$ $1.2 \times 10^5 \text{ N}$ 15(b)(i) • Use of $\Delta W = F \Delta s$ and $P = \frac{W}{t}$ • $P = 4.8 \times 10^5 \text{ W}$ Example of calculation Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5 \text{ W}$ (1) 2 MP1: accept use of a single power output total power input MP1: accept use of a single power for the boat • Efficiency = $\frac{u \text{seful power input}}{t \text{ total power for the boat}}$ Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{ W}} = 0.25$		Direction of resultant force				
9.5 × 10 ⁴ N 1.2 × 10 ⁵ N 15(b)(i) • Use of $\Delta W = F\Delta s$ and $P = \frac{W}{t}$ • $P = 4.8 \times 10^5$ W (1) Example of calculation Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5$ W 15(b)(ii) • Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$ (1) MP1: accept use of a single power for the boat • Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{ W}} = 0.25$			(1)			
1.2 × 10 ⁵ N 15(b)(i) • Use of $\Delta W = F\Delta s$ and $P = \frac{W}{t}$ • $P = 4.8 \times 10^5$ W Example of calculation Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5$ W 15(b)(ii) • Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$ (1) 2 MP1: accept use of a single power for the boat • Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{ W}} = 0.25$		$1.9 \times 10^{5} \text{N}$				
• $P = 4.8 \times 10^5 \mathrm{W}$ (1) Example of calculation Power = $\frac{1.2 \times 10^5 \mathrm{N} \times 4.0 \mathrm{m}}{1 \mathrm{s}} = 4.8 \times 10^5 \mathrm{W}$ 15(b)(ii) • Use of efficiency = $\frac{\mathrm{useful} \mathrm{power} \mathrm{output}}{\mathrm{total} \mathrm{power} \mathrm{input}}$ (1) MP1: accept use of a single power for the boat • Efficiency = $0.25 \mathrm{or} 25 \%$ ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \mathrm{W}}{2 \times 950 \times 10^3 \mathrm{W}} = 0.25$						
• $P = 4.8 \times 10^5 \mathrm{W}$ (1) Example of calculation Power = $\frac{1.2 \times 10^5 \mathrm{N} \times 4.0 \mathrm{m}}{1 \mathrm{s}} = 4.8 \times 10^5 \mathrm{W}$ 15(b)(ii) • Use of efficiency = $\frac{\mathrm{useful power output}}{\mathrm{total power input}}$ (1) MP1: accept use of a single power for the boat • Efficiency = $0.25 \mathrm{or} 25 \%$ ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \mathrm{W}}{2 \times 950 \times 10^3 \mathrm{W}} = 0.25$	15(b)(i)	W W	(1)	2		
Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5 \text{ W}$ 15(b)(ii) • Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$ • MP1: accept use of a single power for the boat • Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{ W}} = 0.25$	15(0)(1)			2		
15(b)(ii) • Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$ (1) MP1: accept use of a single power for the boat • Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$		Example of calculation				
MP1: accept use of a single power for the boat • Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$		Power = $\frac{1.2 \times 10^5 \text{ N} \times 4.0 \text{ m}}{1 \text{ s}} = 4.8 \times 10^5 \text{ W}$				
• Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i) Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$	15(b)(ii)	• Use of efficiency = $\frac{\text{useful power output}}{\text{total power input}}$	(1)	2		
Example of calculation Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$		MP1: accept use of a single power for the boat				
Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$		• Efficiency = 0.25 or 25 % ecf for candidate's power from (b)(i)	(1)			
		Example of calculation				
		Efficiency = $\frac{4.8 \times 10^5 \text{ W}}{2 \times 950 \times 10^3 \text{W}} = 0.25$				
Total for Question 15		Total for Question 15		8		

Question number	Answer	Answer				
16(a)	 When the ball is in the air it always has a constant negative/downward acceleration Any 3 from At t_{1:} the ball reaches the maximum height Or the ball changes its direction From t₁ to t₂: the ball is falling At t_{2:} the ball bounces From t₂ to t_{3:} the ball moves upwards to its maximum height 	(1) (1) (1) (1)	4			
16(b)	 At t₁ and t₃: The height of the ball is the same Straight, horizontal line Drawn at -9.81 (m s⁻²) (Accept -9.8 or -10 for the acceleration (MP2) 	(1) (1) (1)	2			
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$					
	Total for Question 16		6			

Question number	Answer	Mark
17(a)	• Use of $V = \pi r^2 h$ (1) • Use of $\rho = m/V$ (1) • Use of $W = mg$ (1) • $W = 26.3 \text{ N}$ (1)	4
	Example of calculation $V = \pi \times (0.06 \text{ m})^2 \times 0.03 \text{ m} = 3.39 \times 10^{-4} \text{ m}^3$ $m = 7900 \text{ kg m}^{-3} \times 3.39 \times 10^{-4} \text{ m}^3 = 2.68 \text{ kg}$ $W = 2.68 \text{ kg} \times 9.81 \text{ N kg}^{-1} = 26.3 \text{ N}$	
17(b)(i)	• Use of $E_{\text{grav}} = mg\Delta h$ (1) • Using $\Delta h = 0.19 \text{ m} + 0.06 \text{m}$ (1) • Use of $E_{\text{grav}} = 6.6 \text{ J}$ (1) $\underline{Example \text{ of calculation}}$ $E_{\text{grav}} = 26.3 \text{ N} \times (0.19 \text{ m} + 0.06 \text{ m}) = 6.58 \text{ J}$	3
17(b)(ii)	• Use of $\Delta E_{\text{el}} = \frac{1}{2} F \Delta x$ • $F = 220 \text{ N}$ (1) Example of calculation $6.58 \text{ J} = \frac{1}{2} F \times 0.06 \text{ m}$ F = 219.3 N	2
17(b)(iii)	• Use of $F = k\Delta x$ • $k = 3700 \text{ N kg}^{-1}$ (1) Example of calculation $220 = k \times 0.06 \text{ m}$ $k = 3667 \text{ N kg}^{-1}$	2
	Total for Question 17	11

Question number	Answer		Mark
18(a)(i)	 Kevlar is stiffer Or greater Young modulus so the extension is much smaller (under the same load) Kevlar has a greater breaking stress so is stronger MP2 is conditional on MP1 and MP4 is conditional on MP3	(1) (1) (1) (1)	4
18(b)(i)	 A thinner casing could be used with Kevlar to provide the same stress/strength as a thicker casing made of steel Kevlar is more suitable because it has a greater breaking stress Or Kevlar is more suitable because it is stronger For the same thickness of casing the weight of the cable using Kevlar would be much less than using steel for the casing Kevlar would be more suitable than steel for the casing MP5 is dependent on gaining MP2 and MP4 	(1) (1) (1) (1)	4
18(b)(ii)	• upthrust = $\rho_{\text{w}}Vg$ Or weight of sample = $\rho_{\text{K}}Vg$ • 'Apparent' weight = weight of sample – upthrust • Use of weight of sample – upthrust • Apparent weight = 31 N Example of calculation Apparent weight = $(1400 \text{ kg m}^{-3} \times 8.5 \times 10^{-3} \text{ m}^3 \times 9.81 \text{ N kg}^{-1})$ – $(1030 \text{ kg m}^{-3} \times 8.5 \times 10^{-3} \text{ m}^3 \times 9.81 \text{ N kg}^{-1})$ = 30.9 N	(1) (1) (1) (1)	4
	Total for Question 18		12

Question number	Answer	Mark
19(a)	• Weight/W/mg labelled • Tension/T tension (1) (1)	2
	weight	
19(b)	$\bullet T\cos\theta = mg \tag{1}$	4
	• $T\sin\theta = \text{ma}$ (1)	
	• Combining the two equations eg $\tan \theta = a/g$ (1)	
	• $a = 1.4 \text{ m s}^{-2}$ (1)	
	Example of calculation Resultant force in vertical direction $T\cos 8^{\circ} = (0.050 \text{ kg} \times 9.81 \text{ N kg}^{-1})$	
	Resultant force in horizontal direction $T\sin 8^\circ = (0.050 \text{ kg})a$	
	$\tan 8^{\circ} = \frac{0.050 \text{ kg} \times a}{0.050 \text{ kg} \times 9.81 \text{ N kg}^{-1}}$	
	$a = 1.38 \text{ m s}^{-2}$	

Question number	Answer			Mark
19(c)	1		bility to show a coherent and logically fully-sustained reasoning.	6
		ed for indicative co lows lines of reason	ontent and for how the answer is ning.	
	indicative conter	nt.	marks should be awarded for	
	Number of indicative marking points	Number of marks awarded for indicative		
	seen in answer	marking points 4		
	54	3		
	3–2	2		
	1	1		
	0	0		
	The following tab		rks should be awarded for structure and Number of marks awarded	
			for structure of answer and sustained line of reasoning	
	Answer shows a logical structure fully sustained li demonstrated thr	with linkages and nes of reasoning	2	
	Answer is partial some linkages ar reasoning	ly structured with ad lines of	1	
	Answer has no l points and is uns	inkages between structured	0	

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Question number	Answer	Mark
19(c) Continued	 Indicative content For the yo-yo to accelerate with the train there must be a horizontal force acting on it A horizontal force on the yo-yo is provided by the horizontal component of the tension in the string The string could never be completely vertical because there must be a horizontal force The yo-yo has a weight so there always has to be a vertical force acting on it The tension in the string provides the vertical component of force 	
	• The string could never be completely horizontal because there must be a vertical force Guidance on how the mark scheme should be applied: The mark for indicative content should be added to the mark for lines of reasoning. For example, an answer with five indicative marking points, which is partially structured with some linkages and lines of reasoning, scores 4 marks (3 marks for indicative content and 1 mark for partial structure and some linkages and lines of reasoning). If there are no linkages between points, the same five indicative marking points would yield an overall score of 3 marks (3 marks for indicative content and no marks for linkages).	
	Total for Question 19	12