# Thematic Unit Plan: 4th Grade Fractions 

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SAT 495-02
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## Introduction

This is a unit plan about fractions for a fourth grade classroom. All lessons are aligned with Common Core State Standards. The unit plan builds on the basic fraction concepts that are taught in third grade and engages students in a variety of different activities. Reading, Writing, Art, Music, Science, Theater, and Physical Education/Physical Activity are all integrated within the unit. At the end of these six lessons, students will have the opportunity to show what they have learned through a culminating project, in which they will be writing their very own story using fractions. The end project allows students to tie in the fraction concepts that they have learned into a story in which the main character has real-life encounters with fractions. The overarching goal of this unit plan is for students to be able to discover more about fractions and apply them in a variety of real life situations. Having a solid understanding of fractions is important because they are used within many different life skills. By the end of this unit, students should have the fraction knowledge that they need for fifth grade mathematics, as well as the ability to use fractions, with confidence, in everyday situations.

Not only is this unit plan integrative, it is constructivist as well. Instead of using tedious lectures, students will construct their own learning through hands on activities, games, and projects. Students will be assessed using formative assessment procedures, which are done throughout the unit instead of using tests/summative assessment. Assessment will be based on the work they produce (including the final project), and through various homework assignments. The following integrative/constructivist unit is designed to allow students to practice and apply their understandings of fraction concepts, and to prepare them for what lies ahead in mathematics.

## Lesson Plan One

| Lesson Title | Pizza Fractions |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.A. 1 <br> Explain why a fraction $a / b$ is equivalent to a fraction $(n \times a) /(n \times b)$ by using visual fraction models, with attention to how the number and size of the parts differ even though the two fractions themselves are the same size. Use this principle to recognize and generate equivalent fractions. <br> CCSS.MATH.CONTENT.3.NF.A.3.A <br> Understand two fractions as equivalent (equal) if they are the same size, or the same point on a number line. <br> CCSS.MATH.CONTENT.3.NF.A.3.B <br> Recognize and generate simple equivalent fractions, e.g., $1 / 2=2 / 4,4 / 6=2 / 3$. Explain why the fractions are equivalent, e.g., by using a visual fraction model. <br> CCSS.ELA-LITERACY.W.4.2 <br> Write informative/explanatory texts to examine a topic and convey ideas and information clearly. |
| Integrated Subjects | - Reading <br> - Writing <br> - Art |
| Anticipatory Set | This lesson reviews and begins to expand fraction concepts that were taught in third grade. To begin the unit, the teacher will ask the class to think about their real life experiences/encounters with fractions. After students have a few minutes to think, the teacher will call on students to share their ideas while writing them down on large chart paper for the whole class to see. Some possible answers could be baking, science experiments, looking at a clock, at the store ( $1 / 2$ everything sale), etc. |
| Instruction | Students will be introduced to our fraction unit with the read aloud of Pizza Counting by Christina Dobson. This book relates various fractions to the pizza slices to help explain what fractions are. Students will also incorporate their counting skills to help design pizzas with different toppings. Throughout the book, the teacher will stop and ask the students questions about what is happening in both the story and the illustrations. Possible questions could be: what do you think will happen next? What do you think the author meant by $\qquad$ ? What does (what the author said) mean? Etc. <br> Make enlarged copies of the fraction pizza reproducibles (Appendix A) and tape them to the board. Invite three students to come up and color half of each pizza (note that one pizza is cut into fourths, one in eighths, and the other twelfths). Have the students sit down and ask the class to describe the differences that they see in each pizza. The students should notice that all three have half the pizza |

$\left.\begin{array}{|c|l|}\hline & \begin{array}{l}\text { colored in, but each one has a different amount of pieces colored (two, four, and } \\ \text { six). } \\ \text { Next to each pizza, write the total number of slices with a fraction bar on top. } \\ \text { Ask students what the number below a fraction bar is called to refresh their } \\ \text { memories (it is the denominator). Have three new students come up to the board } \\ \text { to fill in the correct numerator (the number on top of the fraction bar). Point out } \\ \text { that we just had the first three students color in } 1 / 2 \text { of the pizzas, so why do our } \\ \text { three fractions have different numerators and denominators? Guide students to } \\ \text { understand that the shaded portions are equal to each other even though each } \\ \text { shaded portion has a different amount of pizza slices. Explain to the students that } \\ \text { these are what we call equivalent fractions (write on the board). }\end{array} \\ \hline \text { Guided Practice } & \begin{array}{l}\text { Students will now have the opportunity to create their own fraction pizzas. Each } \\ \text { student will be provided with a circle cutout from brown construction paper to } \\ \text { represent a pizza crust, and a pizza sauce splotch from red construction paper. } \\ \text { Each cluster of tables will be given several sheets of yellow, black, green, and } \\ \text { light brown construction paper so they can cut out their own pizza toppings } \\ \text { (cheese, olives, green peppers, bacon, mushrooms) to put on their pizza. Students } \\ \text { will have to decide how to divide their pizza into equal parts (they can use } \\ \text { fourths, sixths, eights, etc.) and what pizza toppings they would like to put in } \\ \text { each section. The students need to be sure they incorporate an equivalent fraction } \\ \text { in some way (2/4, 4/8/ etc. = } 1 / 2) . ~ P r o v i d e ~ a n ~ e x a m p l e ~ o f ~ y o u r ~ o w n ~ p i z z a ~ t o ~ s h o w ~\end{array} \\ \text { the class to help guide the students (for example, in my own pizza cut into } \\ \text { fourths, I would have extra cheese on } 2 / 4 \text { (which is the same as } 1 / 2 \text { ) of the pizza, } \\ \text { bacon on } 1 / 4, \text { and green peppers on } 3 / 4 \text {. The goals of this project are to help } \\ \text { students to visualize equivalent fractions (2/4 of the pizza equals } 1 / 2 \text { ) as well as } \\ \text { refreshing their prior knowledge of basic fractions. }\end{array}\right\}$

|  |  |
| :---: | :--- |
|  | Source:htpp:/shenanigansinsecond.blogspot.com/2012/02/i-mustache-youhappy-valentines-day.html |
| Closure | Have the class come together and ask "what do equivalent fractions show?" (Call <br> on volunteers to answer). Then ask the class "how can you tell, based on a <br> picture, whether two fractions are equivalent?" (Call on volunteers). Allow <br> students to come up to the board to draw/write out examples. Using an example <br> that can directly be applied to the first standard listed in the objectives section <br> would be beneficial. (1/2 is equivalent to a fraction (2x1)/(2x2)= 2/4). This <br> allows students to mathematically see what makes one fraction equivalent to <br> another. |
| Pass out the equivalent fractions exit ticket (Appendix C) and have students fill it |  |
| out and turn in. Answer questions if needed. |  |


| Sources | http://www.lakeshorelearning.com/general_content/free_resources/teachers_corner/lessonplan.jsp <br> ?lessonplan=equivalentFraction |
| :--- | :--- |
|  | http://shenanigansinsecond.blogspot.com/2012/02/i-mustache-youhappy-valentines-day.html <br> http://betterlesson.com/community/document/924788/visual-rep-of-equivalent-fractions-exit- <br> ticket-docx |

## Lesson Plan Two

| Lesson Title | Comparing Fractions Showdown |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.A. 1 <br> Explain why a fraction $a / b$ is equivalent to a fraction $(n \times a) /(n \times b)$ by using visual fraction models, with attention to how the number and size of the parts differ even though the two fractions themselves are the same size. Use this principle to recognize and generate equivalent fractions. <br> CCSS.MATH.CONTENT.3.NF.A.3.A <br> Understand two fractions as equivalent (equal) if they are the same size, or the same point on a number line. <br> CCSS.MATH.CONTENT.4.NF.A. 2 <br> Compare two fractions with different numerators and different denominators, e.g., by creating common denominators or numerators, or by comparing to a benchmark fraction such as $1 / 2$. Recognize that comparisons are valid only when the two fractions refer to the same whole. Record the results of comparisons with symbols >, $=$, or <, and justify the conclusions, e.g., by using a visual fraction model. |
| Integrated Subjects | - N/A |
| Anticipatory Set | Show the students the Equivalent Fractions video from YouTube (https://www.youtube.com/watch/?v=wL4hICyMLKU) as fun way for students to review what equivalent fractions are. This video uses different visuals to show the audience what equivalent fractions look like. Also included is a short clip from an animated children's show that puts equivalent fractions in a situational context. <br> Explain to students that today, we will use our fraction knowledge to help us compare fractions to one another. Refresh students' memories on what greater than $(>)$, less than $(<)$, and equal to $(=)$ mean. |
| Instruction | Explain to the class that when we compare fractions, we need to keep 4 different ideas in mind. Use the whiteboard or some large chart paper to explain these different ideas. Begin the first idea by writing $\frac{2}{8}-\frac{5}{8}$ on the board. Ask the class "what do you notice about these two fractions?" Call on students to share thoughts. Ultimately, students should see that the two fractions have the same denominators. "So now we want to determine which fraction is larger. When two fractions have the same denominator, we compare the numerators. Keeping this in mind, who can guess which fraction is larger?" Answer is $\frac{5}{8}$. For a visual representation, draw two circles divided into eighths and have two students come up and shade in the correct portions. "So when we look at these circles, can we all agree that $\frac{2}{8}$ is less than $\frac{5}{8}$ ?" Students should all agree so have someone come |


|  | up and draw the less than sign in between the two fractions. <br> "Another way we can compare fractions is by relating the fraction to $\frac{1}{2}$. So let's say we want to compare $\frac{2}{6}$ and $\frac{6}{8}$ (write these fractions on the board). We could use a number line to help us with this." Draw a number line starting at zero and going to one. Be sure to mark $\frac{1}{2}$ in the middle. The number line should look like this: <br> "Let's start with deciding where $\frac{2}{6}$ would fit on our number line. I need to decide if $\frac{2}{6}$ is greater than or less than $\frac{1}{2}$. Who can tell me what an equivalent fraction to $\frac{1}{2}$ is that has the same denominator as $\frac{2}{6}$ ?" Call on students- someone should say $\frac{3}{6}$ is equivalent to $\frac{1}{2}$. Put this fraction next to $\frac{1}{2}$ on the number line in a different color so students remember. "So keeping this in mind, who thinks they know if $\frac{2}{6}$ is greater than or less than $\frac{1}{2}$ and can fill it in on our number line?" Call on a student- they should place the $\frac{2}{6}$ somewhere between 0 and $\frac{1}{2}$. Continue to do the same thing with $\frac{6}{8}$. Once $\frac{2}{6}$ and $\frac{6}{8}$ are on the number line, have a student put the correct symbol $\left(>,<\right.$, or $=$ ) in between $\frac{2}{6}$ and $\frac{6}{8}$. <br> Go on to explain the third and fourth ideas as explained on the handout Comparing Fractions (Appendix E). There are examples on the handout to teach changing the denominator to match the other and to change both denominators to a common denominator. Be sure to pass copies of this handout to students so they can keep it for reference and for use for the Guided Practice activity. |
| :---: | :---: |
| Guided Practice | To practice the comparing fraction ideas that they learned about during class instruction, students will be divided into groups of four to play a game called Comparing Fractions Showdown. Each group will receive a copy of the directions to the game, a fraction spinner, and the Comparing Fractions Showdown answer sheet (all included in Appendix F). Individual white boards and dry erase markers will also be helpful for group collaboration. <br> Once students are into groups and all materials are passed out, have the students read the directions along with you. Emphasize that they need to use all four of our comparing fractions ideas when playing this game (the Comparing Fractions Showdown fraction sheet and the comparing fractions handout will help guide this). Answer any questions that the students might have and then have them play the game for about 15-20 minutes. Walk around to each group to sit in on their games to make sure they understand what they are doing. |
| Closure | After game play, have the class come together to discuss what they learned from the game. Some possible questions to ask: What did you all think about this game? What did you all learn from the game? etc. Call on several students to |


|  | share some of the fraction pairs that they landed on and write them on the board. <br> Have students show their answer and explain which comparing fractions idea <br> that they used to reach that lesson. Collect group answer sheets. Make sure <br> everyone writes their name on the sheet. |
| :---: | :--- |
| Independent <br> Practice | For homework, students will complete the Comparing Fractions pizza worksheet <br> (Appendix G). They will hand it in first thing the next class meeting. |
| Required <br> Materials/ <br> Equipment | $-\quad$ White board or chart paper <br> $-\quad$ Appendix E <br> $-\quad$ Appendix F <br> $-\quad$Individual white boards <br> $-\quad$ Appendix G <br> Assessment and <br> Follow Up <br> SourcesStudents will be assessed on the fraction comparisons that they generate on the <br> handout that goes with the game. Students will also be assessed on their <br> homework assignment. <br> https://www.youtube.com/watch/?v=wL4hICyMLKU <br> http://mathcoachscorner.blogspot.com/2012/12/comparing-fractions.html <br> http://www.lauracandler.com/filecabinet/math/fractions.php <br> http://www.lakeshorelearning.com/general_content/free resources/teachers_corner/lessonplan.jsp <br> ?lessonplan=comparingOrdering |

## Lesson Plan Three

| Lesson Title | Miss Rizzo's Candy Company |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.B. 3 <br> Understand a fraction $a / b$ with $a>1$ as a sum of fractions $1 / b$. <br> CCSS.MATH.CONTENT.4.NF.B.3.A <br> Understand addition and subtraction of fractions as joining and separating parts referring to the same whole. <br> CCSS.MATH.CONTENT.4.NF.B.3.B <br> Decompose a fraction into a sum of fractions with the same denominator in more than one way, recording each decomposition by an equation. Justify decompositions, e.g., by using a visual fraction model. Examples: $3 / 8=1 / 8+$ $1 / 8+1 / 8 ; 3 / 8=1 / 8+2 / 8 ; 21 / 8=1+1+1 / 8=8 / 8+8 / 8+1 / 8$. |
| Integrated Subjects | - Music/Dance <br> - Writing |
| Anticipatory Set | Begin the lesson by playing the song How Easy is That? <br> (http://www.harcourtschool.com/jingles/jingles all/35how easy is that.html) which introduces adding and subtracting fractions to students. Only play the first half of the song (this is the half that discusses adding and subtracting fractions with LIKE denominators). This lesson does not focus on unlike denominators. Be sure to pass out the lyrics sheet (Appendix H) so students can sing along. Play the song twice: the first time is so students can hear and read along with the song, the second time is so students can sing and dance along. |
| Instruction | After the students get the opportunity to sing and dance along with the song, have the students sit so discussion about the song can take place. Some questions to ask could be: What fraction ideas did you find in the song? What do we do when we want to add like fractions? What do we do when we want to subtract like fractions? etc. <br> In today's activity, students will create their very own candy bars from different colored linking unifix cubes. Each color will represent a different flavor of candy. The bars come in different sizes depending on the number of candies the buyer wants. The teacher will need to make a bar using 8 total unifix cubes prior to the beginning of class. "Today we are going to pretend to visit a special candy store called Miss Rizzo's Candy Company. At the candy store, there is a very unique candy bar called the Special Bar. This bar is special because the buyer of the bar is able to pick out all the flavors that will be in the bar. This way each bar is different and the buyer can get exactly what they want. <br> "Let's look at the Special Bar that I made on my visit." Share with student a bar you created that has 8 pieces. |


|  | Take a moment to discuss the flavors that are possible (write on the board): <br> Red - Cherry <br> Blue - Blueberry <br> Light Green - Lime <br> White - Marshmallow <br> Brown - Chocolate <br> Black - Licorice <br> Yellow - Banana <br> Pink - Cotton Candy <br> Dark Green - Apple <br> Orange - Orange |
| :--- | :--- |
| Guided Practice |  | | Suggested questions: Which flavor of candy do I have the most of? Which flavor |
| :--- |
| of candy do I have the least of? How do you know which candy I have the most |
| of? How much of my bar is flavored blueberry? Cherry? Banana? Lime? etc. |
| Note: The answers of the students should be in fraction form. You are not asking |
| how many pieces are certain flavors, but how much of the bar is that flavor. As |
| students tell you the fraction for each flavor, record the fractions on the board. |
| If I add up the all the fractions 3/8 + 4/8 + 1/8 I will get 8/8 which is the whole |
| candy bar. |


| Closure | When students complete their three Special Bars and story problem, have them get together with a partner. One partner will re-create their favorite Special Bar from the day with the unifix cubes and the other partner will try to figure out the proper equation that would go with that bar. After both partners have shared their favorite Special Bars and equations, each partner should solve each other's story problem. <br> The class will then come together as a group and to answer any questions that students might have about the activity. The teacher should call on a few students to share their favorite Special Bar's, equations, and story problems with the whole class. |
| :---: | :---: |
| Independent Practice | At home, students will complete the Skittles Fraction Challenge activity (Appendix J). This is a fun activity for students to do that ties in with the candy theme for this lesson. The teacher will need to provide each student with a regular bag of skittles (size that you would see when checking out at a grocery store). Emphasize that students SHOULD NOT eat their candy until they have completed the activity. Students should bring this activity to school the next day to be handed in and/or discussed in small groups. <br> Note: the activity asks what fraction of their Skittles are brown- this is meant to be a trick! There are no brown Skittles. |
| Required Materials/ Equipment | - How Easy is That? music: <br> http://www.harcourtschool.com/jingles/jingles all/35how easy is that.ht ml <br> - Appendix H <br> - Unifix cubes <br> - Crayons <br> - White board/chalk board <br> - Appendix I <br> - Appendix J <br> - Fun Size bags of Skittles (enough so each students has their own bag) |
| Assessment and Follow Up | Students will be assessed on the work that they produce on the Miss Rizzo's Candy Company activity sheets as well as the work they produce for the Skittles Fraction Challenge Activity. The teacher should be checking for understanding throughout the entire lesson (through student questions and participation). |
| Sources | http://www.harcourtschool.com/jingles/jingles all/35how_easy is that.html http://maccss.ncdpi.wikispaces.net/file/view/4thGradeUnit.pdf $\underline{\text { https://www.teacherspayteachers.com/Product/Skittles-Fraction-Challenge-Grades-4-5-548471 }}$ |

## Lesson Plan Four

| Lesson Title | Fraction Relay Race |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.B. 3 <br> Understand a fraction $a / b$ with $a>1$ as a sum of fractions $1 / b$. <br> CCSS.MATH.CONTENT.4.NF.B.3.A <br> Understand addition and subtraction of fractions as joining and separating parts referring to the same whole. <br> CCSS.MATH.CONTENT.4.NF.B.3.B <br> Decompose a fraction into a sum of fractions with the same denominator in more than one way, recording each decomposition by an equation. Justify decompositions, e.g., by using a visual fraction model. Examples: $3 / 8=1 / 8+$ $1 / 8+1 / 8 ; 3 / 8=1 / 8+2 / 8 ; 21 / 8=1+1+1 / 8=8 / 8+8 / 8+1 / 8$. |
| Integrated Subjects | - Theater/Acting <br> - Physical Education/Physical Activity |
| Anticipatory Set | This lesson gets students out of their seats and moving in a variety of different ways. To begin this movement lesson, the class will play Fraction Charades. Split students up into teams. Each team will take turns acting out various fractions. The other teams have to guess what the fraction is. The team that guesses correctly gets a point! Kids have to really think out of the box on how to portray their fraction. Example below- $1 / 3$ of the students are jumping: <br> Play this fun game for about 15 minutes to get the students' brains warmed up for fractions. |
| Instruction | Tell the class: "Today we are going to get ready for a relay race. Before we run the race we need to make a plan. Each team will have three people on it. Each person on a team has to run in the race, but they do not need to run the same distance. There are certain places during the race where you can hand off the baton to the next runner. You are going to get a chance to plan the distances of each runner on your team before the race begins. Let's work together to try to make a plan for a team. Today's race will have different places that a team can hand off their baton to the next runner." <br> Draw a line on the board with a start and finish line. Mark 5 locations, equal |


|  | distance apart, where students can hand off the baton. This will break the track into 6 separate sections. Students may have a difficult time with the concept that there are 5 locations to hand off, but 6 sections to the race. This is a good time to discuss the fact that the distance between the marks is what we are considering and not the marks. <br> Have students talk with their teammates (groups of three) to determine some possibilities to setting up the race. Remember that each person doesn't have to run the same distance. Share a few of the students' ideas, and ask what fraction of the race each student will need to run. <br> In the race above, the first runner runs $3 / 6$ of the race, the second runner runs $2 / 6$, and the final runner runs $1 / 6$. <br> Write an equation for each idea. $3 / 6+2 / 6+1 / 6=6 / 6$ or 1 whole Look for multiple ways to set up the race. |
| :---: | :---: |
| Guided Practice | Students will work on planning four different races with their teammates. For each race the student teams need to find multiple ways to set up each race. They record the distance each runner will run, and then write an equation that will equal one whole. Each team should record this information in the Fractions Relay Races Handouts (Appendix K). <br> Have students share their possibilities for each race with other teams and discuss their favorite and the reason why they chose it. Encourage students to make a connection between their races and a number line from $0-1$. How are these similar? <br> If the weather allows, head outside so students can set up their races using cones as hand off positions (do this in the gym, if available, if the weather is not good). Have the students run the race according to their plans. Have them record any questions they might have and some their observations throughout their races. What are some possibilities if we had only 2 people on a team? 4 people? (Pose these questions and have them answer in their math notebooks). <br> If students are having difficulties provide them with fraction manipulatives (fraction bars, fraction tiles) to help them visualize the idea of decomposing a whole unit. |
| Closure | Once teams have completed their races, have them design a relay race that is 2 laps long so they have to decompose the number 2 . You could also have them design a race that is $21 / 2$ laps long. This is supposed to be a challenge so students' will think further about decomposing fractions. Students can complete this in their individual math notebooks. |

$\left.\begin{array}{|c|l|}\hline \begin{array}{c}\text { Independent } \\ \text { Practice }\end{array} & \begin{array}{l}\text { For homework, students will complete two fraction crossword puzzles (Appendix } \\ \text { L). Students should bring this back to school with them the next day to turn in. }\end{array} \\ \hline \begin{array}{c}\text { Required } \\ \text { Materials/ } \\ \text { Equipment }\end{array} & \begin{array}{ll}-\quad \text { White board } \\ - & \text { Appendix K } \\ -\quad \text { Cones }\end{array} \\ & -\quad \text { Framnasium (if available \& if weather is not good) } \\ -\quad \text { Math notebooks }\end{array}\right]$

## Lesson Plan Five

| Lesson Title | Fraction Nature Walk |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.C. 5 <br> Express a fraction with denominator 10 as an equivalent fraction with denominator 100, and use this technique to add two fractions with respective denominators 10 and $100 .{ }^{2}$ For example, express $3 / 10$ as $30 / 100$, and add $3 / 10$ $+4 / 100=34 / 100$. <br> CCSS.MATH.CONTENT.4.NF.C. 6 <br> Use decimal notation for fractions with denominators 10 or 100. For example, rewrite 0.62 as 62/100; describe a length as 0.62 meters; locate 0.62 on a number line diagram. |
| Integrated Subjects | - Music <br> - Science <br> - Writing |
| Anticipatory Set | To begin this lesson and a new major fraction concept, students will watch and listen to a song on YouTube called Fractions and Decimals (https://www.youtube.com/watch?v=9Bx-8aLZVbg). Play the video up until $1: 36$. After this point, the song talks about percentages which are not covered in this lesson. Invite the students to sing and dance along. Play the video twice so students can take away the main points. This is a fun video to introduce changing fractions into decimals. |
| Instruction | Students need to know that fractions and decimals are both ways of expressing parts of a whole. Start a basic review lesson by drawing a square on the board. <br> Draw a line vertically through the center of the square. Ask students what fractions you have drawn. [The answer is a $1 / 2$ and a $1 / 2$.] Write an equation on the board showing how two halves added together equal a whole. $[1 / 2+1 / 2=2 / 2$ or 1]. <br> Tell the class that today we will be learning about another important fraction concept- decimals. Decimals, like fractions, are another way of expressing portions of a whole. Ask the class if they remember learning about decimals before in second or third grade. Call on a few students to share what they know. Invite them to write their ideas on the board. <br> Tell students that they may be familiar with decimals as they are used with money ( 100 cents $=\$ 1.00,50$ cents $=\$ 0.50)$. When you say a decimal out loud, you express it in terms of tenths, hundredths, or thousandths. The first place after the decimal point represents 10 ths, the 2 nd place represents 100 ths, and the 3 rd place represents 1,000 ths. For example, you say the decimal 0.2 as two tenths. You say the decimal 0.25 as twenty-five hundredths. You say the decimal 0.125 as one hundred and twenty-five thousandths. |


|  | Have students look back at the square that was drawn on the board at the beginning of the lesson. Ask students to think about how they would write the fraction $1 / 2$ as a decimal. Call on some volunteers to answer. Then have a student, or students, come to the board and write the equation in decimals. The equation in decimals is $0.5+0.5=1.0$. Also explain that another way that you can find the decimal equivalent of a fraction, is by dividing the numerator (the top number of a fraction) by the denominator (the bottom number of a fraction). So $1 / 2$ is $1 \div 2$ or 0.5 . <br> As soon as you say a decimal aloud, students can see how it converts into a fraction. After converting a decimal to a fraction, show how to simplify it. For example, 0.2 is $2 / 10$, which can be reduced to $1 / 5.0 .25$ is $25 / 100$, which can be simplified to $1 / 4$. |
| :---: | :---: |
| Guided Practice | Today students will discover more about decimals and fractions through a science nature walk around the playground and school campus. Students will need to bring a copy of the Nature Walk handout (Appendix M), a pencil, and clipboards on this nature walk. <br> Before heading outside to do this activity, explain that students will be on the lookout for different leaves, flowers/plants, and animals/insects. Students will have to find at least 10 of each of these items and record what they see on their handout. If students don't know the name of a certain leaf, flower, or animal, they should write down a description of what they observe and they can use this for a research project that can be done as an extension to this lesson. <br> Once students have all their data, have the class come together inside and begin their calculations for each group of nature walk items. For example, in my animals/insects group, if I saw 4 rabbits, 3 robins, 1 butterfly, and 2 bumblebees on my walk, I would write $4 / 10,3 / 10,1 / 10$, and $2 / 10$ for the corresponding fractions ( 10 is the denominator because I these were the 10 animals and insects that I saw on the walk). I would also write an equation showing that adding all of these fractions together would equal 1 whole. Then I would write the decimals for each: $.40, .30, .10$, and .20 . Students should do this for each group of nature walk items. |
| Closure | Once students have completed their calculations, have each student find a partner and each person will share what they saw on the nature walk. <br> To end the lesson, have students write a one paragraph reflection about what they learned, saw, and enjoyed from the nature walk. Students should also write about one of the leaves, flowers, or animals that they would like to further research. Use this portion as a possible opportunity to have students do a report about what they are interested in learning more about. They can make this report as a PowerPoint presentation, a poster, or a storybook so that way they can teach others about what they have learned. |
| Independent Practice | For homework, students should complete the fraction to decimal conversion activity (Appendix N). Students will need to bring this to class the next day. |


| Required Materials/ Equipment | - YouTube video: https://www.youtube.com/watch?v=9Bx-8aLZVbg <br> - Whiteboard <br> - Appendix M <br> - Clipboards <br> - Appendix N |
| :---: | :---: |
| Assessment and Follow Up | While students are working, observe them and pose questions to check for their mathematical understanding. Assess students based on their participation and what they produce on the handout and homework. Be sure to check the equations and decimals that they are producing as well on the class activity. If the extension activity is being used, assess students on the quality of their reports: Is it informative? Is it creative? Does it include pictures? etc. |
| Sources | https://www.youtube.com/watch?v=9Bx-8aLZVVg http://www.scholastic.com/browse/lessonplan.jp? id $=1154$ http://www.scholastic.com/browse/lessonplan.jsp?id=1155 https://www.teacherspayteachers.com/Product/FREE-Fraction-Decimal-Percent-Conversion- Common-Core-4NF6-449367 |

## Lesson Plan Six

| Lesson Title | Fraction Boot Camp/Fraction Story Time |
| :---: | :---: |
| Objectives and Goals | CCSS.MATH.CONTENT.4.NF.A. 1 <br> Explain why a fraction $a / b$ is equivalent to a fraction $(n \times a) /(n \times b)$ by using visual fraction models, with attention to how the number and size of the parts differ even though the two fractions themselves are the same size. Use this principle to recognize and generate equivalent fractions. <br> CCSS.MATH.CONTENT.4.NF.B. 3 <br> Understand a fraction $a / b$ with $a>1$ as a sum of fractions $1 / b$. <br> CCSS.MATH.CONTENT.4.NF.B.3.A <br> Understand addition and subtraction of fractions as joining and separating parts referring to the same whole. <br> CCSS.MATH.CONTENT.4.NF.B.3.B <br> Decompose a fraction into a sum of fractions with the same denominator in more than one way, recording each decomposition by an equation. Justify decompositions, e.g., by using a visual fraction model. Examples: $3 / 8=1 / 8+$ $1 / 8+1 / 8 ; 3 / 8=1 / 8+2 / 8 ; 21 / 8=1+1+1 / 8=8 / 8+8 / 8+1 / 8$. <br> CCSS.MATH.CONTENT.4.NF.B.3.D <br> Solve word problems involving addition and subtraction of fractions referring to the same whole and having like denominators, e.g., by using visual fraction models and equations to represent the problem. <br> CCSS.ELA-LITERACY.W.4.3 <br> Write narratives to develop real or imagined experiences or events using effective technique, descriptive details, and clear event sequences. <br> CCSS.ELA-LITERACY.W.4.3.A <br> Orient the reader by establishing a situation and introducing a narrator and/or characters; organize an event sequence that unfolds naturally. |
| Integrated Subjects | - Writing <br> - Art |
| Anticipatory Set | **This lesson will probably need to be divided into two days. Fraction Boot Camp will be done the first day and fraction story time will be done the second. <br> Begin this lesson by reminding students that they have learned a lot about fractions over the last few weeks. Ask the class to have someone raise their hand to explain what a fraction is. Someone should say that a fraction is part of a whole (write this on the board). Ask the class to think of some of the important concepts that they have learned throughout this unit. Now, have them share this idea with a partner. Come together as a class to have students share what they have discussed. Write these ideas on the board. Ideas should be from what has |


|  | recently been taught (i.e. equivalent fractions, adding and subtracting fractions, etc.). <br> Explain to the class that today we will begin reviewing what we have learned about fractions by participating in a Fraction Boot Camp. Once we have successfully completed the boot camp, we will have the chance to write our own fraction stories. |
| :---: | :---: |
| Instruction | Tell students that during the Fraction Boot Camp, they will be working through five different math centers to practice their fraction skills. Model and give directions for each center. <br> Students should be divided into four groups and will spend about 10-15 minutes at each center. <br> Center 1: Zombie Fractions <br> Objective: Students will use a visual model to decompose fractions. <br> Materials: Appendix O <br> At this center, students will be decomposing fractions (separating fractions into small pieces). To do this, students will choose a fraction card, then will write as many ways to decompose the fraction as possible. <br> For example: 5/6 <br> - $1 / 6+1 / 6+1 / 6+1 / 6=5 / 6$ <br> - $3 / 6+2 / 6=5 / 6$ <br> $-2 / 6+1 / 6+1 / 6+1 / 6=5 / 6$ <br> - $4 / 6+1 / 6=5 / 6$ <br> - $3 / 6+1 / 6+1 / 6=5 / 6$ <br> Center 2: Clothespin Fraction Line <br> Objective: Students will order fractions with different denominators. <br> Materials: Clothespins and string <br> Provide students with clothespins with fractions of various denominators and a string to sort them on. Have students mix the clothespins, them put them in order. Students record their ordered fractions on a number line. You can differentiate this center by providing different numbers of clothespins to order or by requiring students to estimate the amount that exists between each clothespin on the number line and space the clothespins accordingly. <br> Center 3: Fraction Card Comparison <br> Objective: Students will compare fractions with unlike denominators. <br> Materials: Appendix P and playing cards <br> Provide students with a fraction game board (a paper with two fraction bars that specify where the numerator and denominator are) and playing number cards. <br> The game is played like war. Students place cards on the numerator and denominator spaces at the same time. The first person to identify the larger fraction by tapping or placing their hand on the fraction that is larger gets all four |


|  | cards. As students develop their knowledge of fractions, you can write a denominator for students to use consistently. (For example, have students write 10 in the bottom of the fraction, so that all the fractions are consistently less than one). <br> Center 4: Fraction Word Problems <br> Objective: Students will solve word problems that require addition and subtraction of fractions. <br> Materials: Appendix Q <br> Provide students with note cards with fraction word problems written on them. Have students work in pairs to solve each problem. Make these problems more challenging by requiring students to reduce their answers. <br> Center 5: Equivalent Fractions Spaceman Go Fish <br> Objective: Students will find and match equivalent fraction pairs. <br> Materials: Appendix R <br> - Shuffle the 32 cards. Deal 5 cards to each player. <br> - Place the remaining cards face-down in the center forming the draw deck. <br> - Start with the dealer. Ask any player for a card you would like to match with a current card in your hand. If you have $1 / 2$, you may ask any person for the equivalent fraction of $1 / 2$ to complete your pair. <br> - Lay the matching pair down. <br> - If the player does not have the card you asked for, they will say "Go Fish!" and you draw a new card from the draw deck. <br> - Continue playing clockwise to the next player. <br> - Continue playing until there are no cards left in the draw deck. <br> - Complete the game by continuing play as normal, but without the draw deck, until all possible pairs have been matched. <br> - Count each players number of pairs. The player with the most pairs is the winner of the game! <br> Have these directions written on the board or typed on a handout for the station. Good idea to laminate the cards before the students play. |
| :---: | :---: |
| Guided Practice | Either the next day, or after Fraction Boot Camp (if time allows), tell students that we will conclude our fraction unit by creating our very own fraction stories. We will take our fraction concepts, and create a story, with characters and a plot, to show what we have learned. We will also complete our stories with illustrations. Write the requirements for the story on the board: <br> - Needs a character <br> - A plot <br> - Beginning, middle, and end <br> - Illustrations <br> - At least 3 fraction concepts that we have discussed over the last few weeks <br> Share an example with the class. For instance, write a story about a girl, Sally, who bakes a huge cake for all of her friends. You can include the recipe and all of the steps needed to make the cake. After making the cake, Sally goes to deliver |


|  | the cake to her friends. She stops at her Billy's house and offers him some cake. You cut the cake into 10 equal pieces. Billy says he wants $2 / 10$ of the cake. Sally realizes that this is the same as $1 / 5$ of the cake. The story goes on and Sally runs into John and Jessie. John wants 3 pieces of the cake and Jessie wants 4. Sally uses subtraction to figure out how many pieces she has left after Billy took some and addition to figure out how many piece John and Jessie want together. Sally subtracts again to figure out how many pieces she has left for herself. Sally looks back on her day and realizes that $2 / 10+3 / 10+4 / 10+1 / 10=1$ whole cake. She eats her cake satisfied with all the fraction knowledge that she used throughout the day. (Obviously, make this idea into a complete story and make your own story book with illustrations to show the class as an example) |
| :---: | :---: |
| Closure | Once students have edited their books and included illustrations, have them read their story aloud to a small group. You can even bind the books (if you have the materials necessary) and invite other classes and/or parents to the class to come and read the books. It would be like the students got to publish their books and they can feel proud of their work. Have sticky notes around the room as well so parents and other students can leave feedback on the stories. |
| Independent Practice | For independent practice, you could have students make an outline using a specific graphic organizer of their story (this would have to be done BEFORE they write their story for a 2 day lesson). This could be given as homework after the boot camp activity so that way students can prepare their thoughts and ideas for the next class period. Students could even create an outline/draft of the story to have the teacher look at before putting their story down on paper. |
| Required Materials/ Equipment | - White board <br> - Appendix O <br> - Clothespins and string <br> - Appendix P <br> - Playing cards <br> - Appendix Q <br> - Appendix R |
| Assessment and Follow Up | Assess students based on the quality of work provided in the story that they have created. Was it creative? Was there a plot? Were there at least 3 fraction concepts used in the story? Were there illustrations? Does the student understand and use the fraction concepts appropriately? Address any questions that might arise during the boot camp and throughout the writing process. |
| Sources | http://lessonplanspage.com/grades-4-5-fraction-boot-camp/ http://www.fernsmithsclassroomideas.com/2015/02/ferns-freebie-friday-free-go-spaceman.html |

Appendix A

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## Appendix B

## 䦧 (1)


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$\qquad$

## Appendix C

## กลขฑ:

## exit ticket

1. Which set of fractions is equivalent?


For numbers 2-4, shade an equivalent fraction to the amount shown.
2.

3.

4.


## Appendix D

Directions: Color each row (fraction bar) a different color and then cut each row out. Use the fraction bars to find 10 equivalent fraction pairs. Write your fraction pairs on a separate piece of paper and bring to school tomorrow.

For example: $\frac{1}{2}=\frac{3}{6}$


Appendix E
COMPaRIN FRACOTONS
(1) Same denominator-compare the numerators

$$
\frac{2}{8}<\frac{5}{8}
$$

(2) Relate to $\frac{1}{2}$

$\frac{2}{6}<\frac{6}{8}$
(3) Change the denominat or of one to match the other
$\frac{2}{5}$ and $\frac{3}{10} \quad \frac{2}{5} \times \frac{2}{2}=\frac{4}{10} \quad \frac{2}{5}>\frac{3}{10}$
4 Change both denominators to a common denominator
$\frac{7}{8}$ and $\frac{5}{6} \quad \frac{7}{8} \times \frac{3}{3}=\frac{21}{24} \quad \frac{5}{6} \times \frac{4}{4}=\frac{20}{24}$
$\frac{7}{8}>\frac{5}{6}$

## 

Materials: Dry Erase Boards and markers, Fraction Spinner, comparing fractions showdown answer sheet, pencil

Directions:

1. Each student needs a dry erase board, marker, and one comparing fractions showdown answer sheet
 for the whole group.
2. The student with the shortest first name is the first Leader. The Leader spins the Fraction Spinner twice and everyone writes down the two fractions that the spinner lands on their white board.
3. Everyone will try to compare the two fractions. Write $<,>$, or = between the fractions. No discussion at this point! Use your Comparing Fractions handout if needed.
4. When everyone has an answer, they place their boards face down in front of them.
5. The leader says Showdown! Everyone turns their boards over to show their answers. Then they check their solutions by explaining which comparing fractions ided that they used.
6. The leader writes the two fractions on the Fractions Show down answer sheet under the idea that was used. Each idea MUST be used at least once.
7. The role of Leader rotates to the left for each round. Repeat steps 2 through 6 until time runs out.



Comparing the numerators

Relating to $\frac{1}{2}$

Change the denominator of one to match the other

Change the denominators to common denominators



Let me show you something that's easy to do.
Easy for you, but more difficult for me. It looks complicated, but it's easy as can be.

How easy is that?

When you've got LIKE fractions, how do you know?
They have the same denominat or down below.

To add LIKE fractions and get the right sum, You just add the numerators;
Keep the same denominator down below. So, two fifths plus two fifths equals four fifths.

Add two plus two-easy to do.
How easy is that?
To subtract LIKE fractions and get the right difference,
You subtract the numerators,
Keep the same denominator down below.
So, three fourths minus two fourths equals one fourth.
Three minus two-easy to do.
How easy is that?

Easy for you, and now it's easy for me.
It looks complicated, but it's easy as can be.
How easy is that?
http://www.harcourtschool.com/jingles/jingles_all/35how_edsy_is_that.html



Use crayons to shade in the 8 piece Special Bar that you created:


My Special Bar is:

| Fraction | Flavor |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |

The equation for my Special Bar is:
$=$ one whole candy bar

Use crayons to shade in the 10 piece Special Bar that you created:


My Special Bar is:

| Fraction | Flavor |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |

The equation for my Special Bar is:
= one whole candy bar


Use crayons to shade in the 12 piece Special Bar that you created:


My Special Bar is:

| Fraction | Flavor |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |

The equation for my Special Bar is:
= one whole candy bar


## Special Bar Story Problem

Draw and color your favorite Special Bar below:

Now write your own story problem using your favorite Special Bar below:
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Have your partner solve the story problem- show your work and write the answer
$\qquad$

Appendix J

$$
\begin{aligned}
& \text { (S) (B) (i) } \uparrow \text { (1) (C) (C® (a) C (i) (O) } \\
& \text { (c) (h) © (1) (1) (C) (1) (C) (1) }
\end{aligned}
$$

Directions: Open your bag of Skittles and answer the following questions. DO NOT EAT YOUR SKITTLES UNTIL YOU HAVE COMPLETED THIS ACTIVITY! ©

How many Skittles are in the "whole" bag? $\qquad$
What fraction of your Skittles are red? $\qquad$
What fraction of your Skittles are green? $\qquad$
What fraction of your Skittles are yellow? $\qquad$
What fraction of your Skittles are orange? $\qquad$
What fraction of your Skittles are purple? $\qquad$

What fraction of your Skittles are NOT orange? $\qquad$
What fraction of your Skittles are brown? $\qquad$
What fraction of your Skittles are yellow and orange? $\qquad$

Think about a bag of 20 Skittles.
How much would $\frac{1}{2}$ of the bag be? $\qquad$
How many Skittles would $\frac{1}{4}$ of the bag be? $\qquad$
How many would $\frac{3}{4}$ of the bad be? $\qquad$
How many would $1 / 10$ of the bag be? $\qquad$

## What if the bag had 25 Skittles...

How much would $1 / 5$ of the bag be? $\qquad$
What about $2 / 5$ ? $\qquad$
What about $3 / 5$ ? $\qquad$

S


## What would be more?

## (Circle the greater amount)

$\frac{1}{2}$ of a bag of 14 Skittles or $1 / 3$ of a bag of 18 Skittles?
$1 / 4$ of a bag of 20 Skittles or $1 / 3$ of a bag of 18 Skittles?
$1 / 6$ of a bag of 24 Skittles or $1 / 4$ of a bag of 16 Skittles?
$\frac{1}{2}$ of a bag of 30 Skittles or $2 / 3$ of a bag of 18 Skittles?
$3 / 4$ of a bag of 16 Skittles or $2 / 3$ of a bag of 15 Skittles?
$\frac{1}{2}$ of a bag of 90 Skittles or $4 / 5$ of a bag of 50 Skittles?
$1 / 10$ of a bag of 100 Skittles or $1 / 7$ of a bag of 63 Skittles?

Try writing three of your own!

Appendix K
Race 1


This race has 6 different sections to run. What are some possibilities that your team can run?

| Runner 1 | Runner 2 | Runner 3 | Equation |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Which one of your options is your favorite one? Explain why.


41

## Race 2



S

This race has 4 different sections to run. What are some possibilities that your team can run?

| Runner 1 | Runner 2 | Runner 3 | Equation |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Which one of your options is your favorite one? Explain why.


## Race 3

|  |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| S |  |  |  |  |  |  |  |  |

This race has 10 different sections to run. What are some possibilities that your team can run?

| Runner 1 | Runner 2 | Runner 3 | Equation |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Which one of your options is your favorite one? Explain why.


## Race 4

|  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| S |  |  |  |  |  |  |

This race has 8 different sections to run. What are some possibilities that your team can run?

| Runner 1 | Runner 2 | Runner 3 | Equation |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Which one of your options is your favorite one? Explain why.

Appendix L


Add the fractions below and put the sum into the puzzle. For example; $2 / 5+2 / 5=$ $4 / 5$. Then, you will place $4 / 5$ in the puzzle. The slash will be a space in the puzzle.

$\square$



## sudtracting Fractions

©Sara Oberheide


Across
$\begin{array}{ll}1 & 28 / 30-7 / 30= \\ 2 & 8 / 15-5 / 15= \\ 6 & 18 / 22-12 / 22= \\ 7 & 7 / 10-6 / 10= \\ 8 & 7 / 8-3 / 8= \\ 9 & 8 / 9-2 / 9= \\ 11 & 12 / 14-6 / 14= \\ 12 & 5 / 5-2 / 5= \\ 13 & 6 / 7-2 / 7= \\ 14 & 3 / 4-2 / 4=\end{array}$

Down
2 5/9-4/9 = $14 / 14-4 / 14=$ 10/13-4/13 = 10/12-5/12 = 4/10-1/10 = 3/6-1/6 = $12 / 14-8 / 14=$
10 14/15-2/15 =
$116 / 7-3 / 7=$
$125 / 8-2 / 8=$

## Appendix M

Fraction Nature Walk


## Fractions \& Decimals



Directions: Eibl in the correct decinal or fraction based off what is giver.

| Decimal | Fraction |
| :---: | :---: |
|  | $\frac{3}{10}$ |
|  | $\frac{2}{5}$ |
| .75 | $\frac{1}{4}$ |
| .30 | $\frac{10}{100}$ |
| .80 | $\frac{90}{100}$ |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |

Appendix O



Appendix P
$\square$
51 Hotchalk.com
Fraction Card Comparison Gameboard

| Kayla is making cookies. <br> The recipe requires $\frac{3}{4}$ cup <br> of sugar. She wants to <br> make 3 batches of cookies. <br> How many cups of sugar <br> must she use? | Shawna has a cheesecake <br> sampler. There are 12 <br> pieces. Of those pieces, 2 <br> are chocolate chip, 4 are <br> blueberry, 5 are regular, <br> and 1 is raspberry. What <br> fraction of the cheesecake <br> sampler is fruit flavored? |
| :--- | :--- |
| Kyle orders a large pizza <br> that has 9 pieces. He eats <br> 2 pieces and gives 3 to <br> Juan. What fraction do <br> Kyle and Juan eat? What <br> fraction of the pizza is <br> left? | Mia counts 20 girls on the <br> beach. 4 have purple flip <br> flops on. 8 have yellow flip <br> flops on. 6 have black flip <br> flops and the rest are <br> barefoot. What fraction <br> of the girls are wearing <br> flip flops? What fraction <br> are barefoot? |
| Jorge has 30 shirts. 3 are <br> red. 10 are blue. 6 are <br> yellow. 5 are orange. The <br> rest are black. What <br> fraction are either red or <br> orange? What fraction are <br> black? | Diego has 18 Skittles. 6 <br> are red, 3 are yellow, 4 are <br> green, and 5 are purple. <br> What fraction of the <br> Skittles are primary <br> colors? What fraction are <br> secondary colors? What <br> fraction are not purple? |

Appendix R

|  |  |  |  |
| :---: | :---: | :---: | :---: |
|  |  |  | $\begin{gathered} \\ 2 / 3 \\ 2 \end{gathered}$ |
| $\begin{gathered} 4 \\ 3 / 4 \end{gathered}$ | " |  |  |


| $2 / 4$ | $\begin{aligned} & 2 / 6 \end{aligned}$ | $\begin{aligned} & 2 / 8 \end{aligned}$ | $2 \text { / } 10$ |
| :---: | :---: | :---: | :---: |
| $\begin{aligned} & 2 / 12 \end{aligned}$ | $2 / 14$ | $2$ | $4 / 6$ |
| $6 / 8$ | $8 \text { / IO }$ | $10 / 12$ | $14 / 16$ |

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