



Optimal Model-Based Production Planning for Refinery Operation

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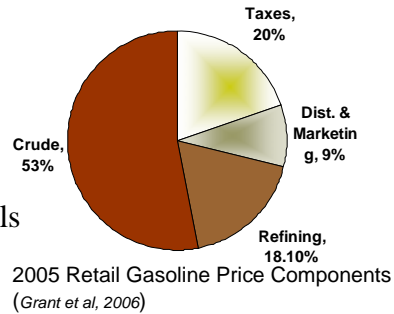
Presentation Outline

- Introduction
- Problem Statement
- LP-Based Planning Model
- Process Unit Models
- Aggregate Model
- Conclusion




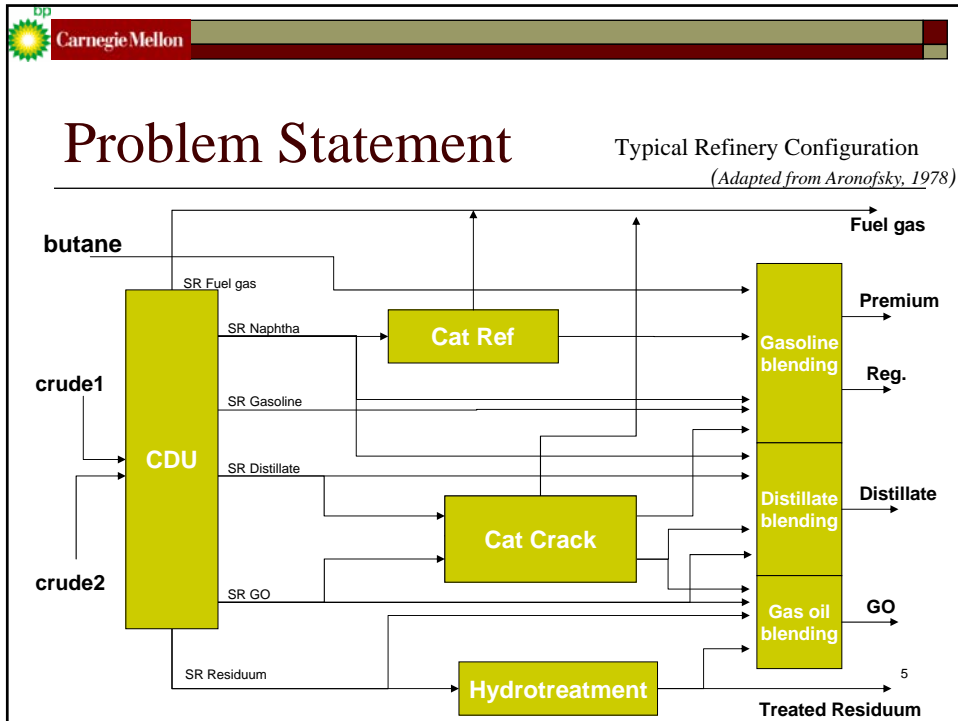
Motivation


- Refining Operation and crude cost
 - variable cost of production
 - Largest product price components
 - Key to refinery profit and economics
- Refinery production planning models
 - Operation optimization
 - Crude selection
 - maximizing profit; minimizing cost
 - LP-based, linear process unit equations
 - comprise accuracy for robustness and simplicity



Motivation

- Issues
 - Improvement to current models
 - Upgrade LP models to NLP
 - Integrate scheduling into planning model
- Current Project
 - collaboration with BP 
 - Goal: develop a refinery planning model with nonlinear process unit equations, and integrated scheduling elements



-  Carnegie Mellon
- ## Problem Statement
- Information Given
 - Refinery configuration: Process units
 - Feedstock: crude oils & others
 - Final Product: Specs & demand
 - Economics
 - Feedstock & operating cost
 - Final product prices
 - Objective
 - Select crude oils and quantities to process
 - Maximizing profit
 - single period time horizon
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LP-Based Planning Model (1)

□ Planning model

■ Typical elements

□ Process Units

■ yield equation $F_{outlet} = a_{unit, feed, outlet} * F_{feed}$

□ Base model: fixed yield for all units

□ Capacity check $\sum_{feed} F_{feed, unit} \leq Cap_{unit}$

□ Separators:

$$F_{i, sep-in} = \sum_i F_{i, sep-out}$$

□ Mixers:

$$\sum_i F_{i, mix-in} = F_{i, mix-out}$$

□ Product blending:

$$\sum_i F_{i, p} = F_p$$

□ Product Specifications $Pr_p = \sum_i Pr_i F_{i, p} // Pr_p (\leq or \geq) Spec_{pr, p} F_p$

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LP-Based Planning Model (2)

□ Economics

■ Feedstock Cost $\sum C_{feedstock} * F_{feedstock}$

■ Operating cost $\sum C_{unit} * F_{unit, feed}$

■ Income: product sales

$$\sum C_{product} * F_{product}$$

□ Objective function:

■ Profit

$$profit = \sum C_{product} * F_{product} - \sum C_{feedstock} * F_{feedstock} - \sum C_{unit} * F_{unit, feed}$$

■ Cost

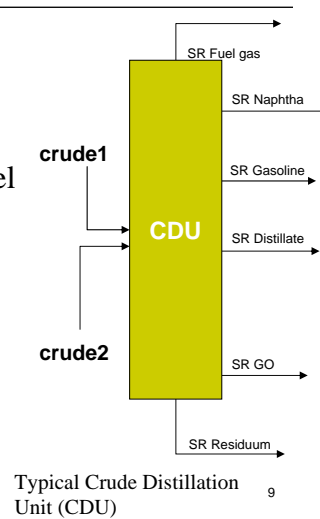
$$cost = \sum C_{feedstock} * F_{feedstock} + \sum C_{unit} * F_{unit, feed} - \sum C_{product} * F_{product}$$

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Process Unit Models

- Overview
 - Predicts products quantities and properties
 - Function of feed and operating conditions
 - Inherently nonlinear
- Process Models in Refinery Planning Model
 - Linear yield calculation assumption: LP requirement
 - Tradeoff: accuracy vs. robustness & simplicity
 - Area for nonlinear upgrade
- Initial Focus on CDU
 - Front end of the every refinery
 - Dictates final products and their quality
 - Affects downstream units

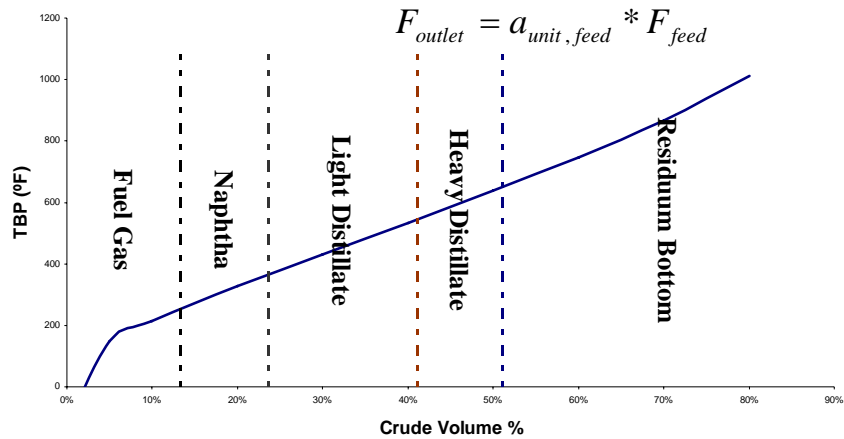


CDU Fixed Yield Model (1)

- Fixed yield approach
 - Linear equation, for LP-based models
 - Similar approach in other units
 - Simple & robust
 - Issues
 - Linear model
 - No parameters for operating conditions or cuts property calculations
 - Single operating mode



CDU Fixed Yield Model (2)



Crude true boiling point (TBP) curve showing crude cuts
(adapted from Watkins 1979)

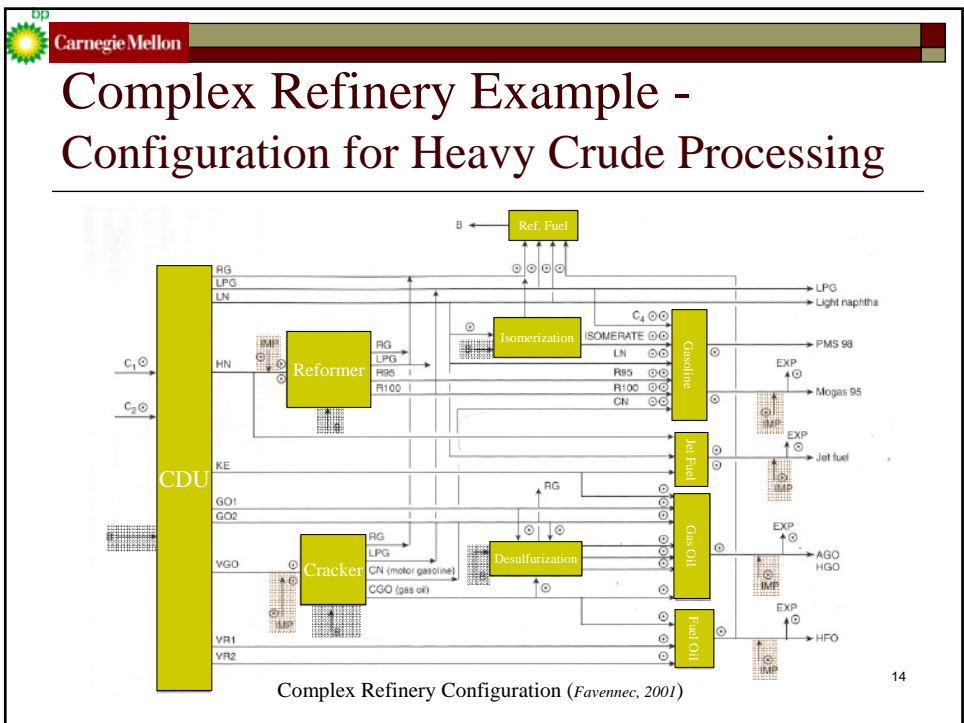
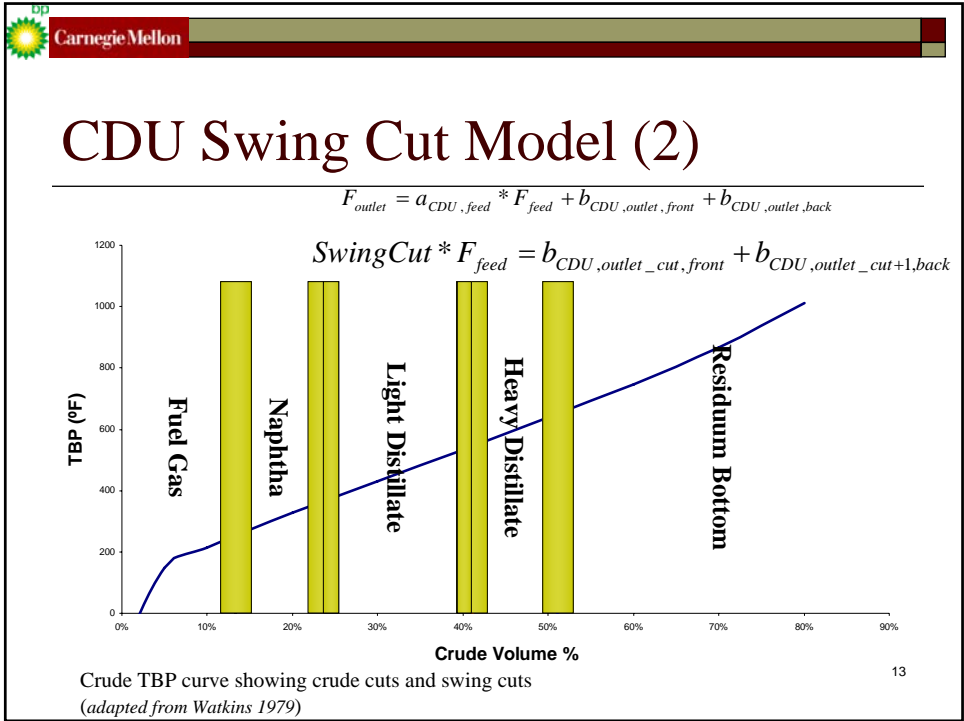
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CDU Swing Cut Model (1)

- Swing cut approach
 - Upgrade from fixed yield
 - Similar to fixed yield, with optimized cuts
 - Suitable for existing LP-based models
 - Reflects operating modes
 - Limitation
 - Linear model
 - No parameters for operating conditions or cuts property calculations

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Complex Refinery Example - Data

Final Products Demand

Final Products	Demand (kt)
LPG	11
Light naphtha	6
Premium Gasoline (98 mogas)	20
Regular Gasoline (95 mogas)	80
Jet Fuel	70
Gas Oil	160
Fuel Oil	148
Fuel Oil (Refinery use)	15.2

Unit Capacity and Crude Availability

kt	Min	Max
Crude Distillation Unit		700
Reforming Capacity		
95 severity	2	
Total		60
Total Cracking Capacity		135
Desulfurization Capacity		150
Crude 1 (lighter)		400
Crude 2 (heavier)	260	

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Complex Refinery Example - Results

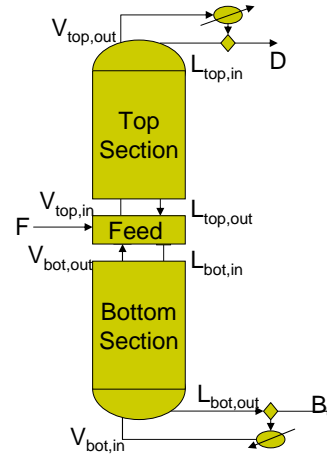
		Fixed yield	Swing cut
Crude Feedstock	Crude1 (lighter)	142	0
	Crude2 (heavier)	289	469
Other Feedstock	Heavy Naphtha	13	9
Refinery Production	Fuel Gas	13	17
	LPG	18	20
	Light Naphtha	6	6
	Premium Gasoline	20	20
	Reg. Gasoline	80	92
	Gas Oil	163	170
	Fuel Oil	148	160
Net Cost		89663	85714

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CDU Aggregate Model - Overview

- Aggregate Distillation Column Model
 - Proposed nonlinear implementation
 - Adds simplest process modeling to planning
 - Based on work of Caballero & Grossmann, 1999
 - Principle
 - Top and bottom integrated heat and mass exchangers around the feed location
 - Constant flow in each section
 - Pinch location is at the feed section
 - Nonlinearity in equilibrium constant and stream splits
 - Advantage
 - Nonlinear process equations
 - Simplest modeling form

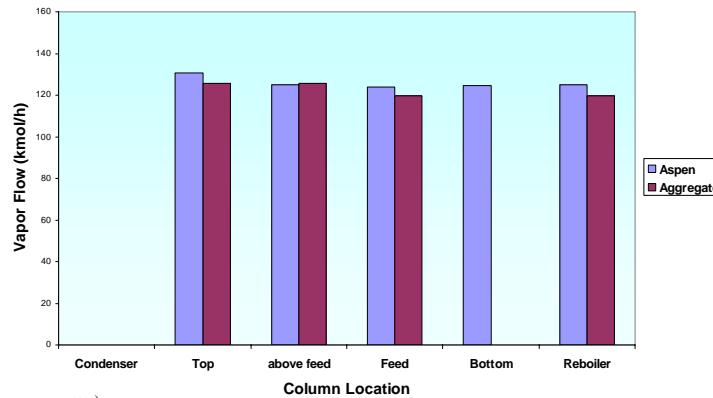


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Aggregate Model Example

- Example from Caballero & Grossmann, 1999
 - Comparison of rigorous (Aspen+) and aggregate model calculation for a distillation column with 4-component feed



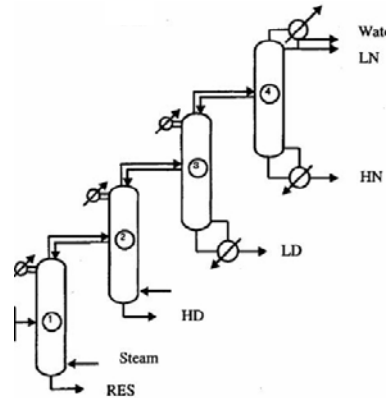
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(Caballero & Grossmann, 1999)



CDU Aggregate Model – Issues (1)

- Issues
 - Original work based on only top and bottom product streams
 - CDU: multiple side streams
- Proposal
 - Represent CDU with cascaded sub-columns
 - A sub-column for each section between product streams
 - Indirect sequence to represent side stripper
 - Approach can be applied to aggregate model & shortcut equations

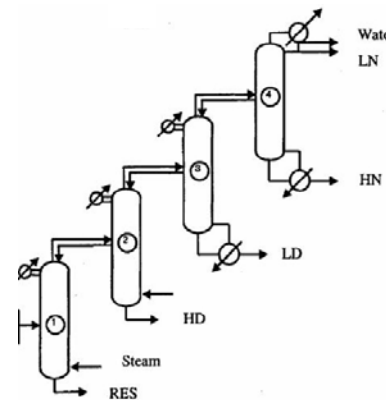


Cascaded Columns Representation of a Crude Distillation Column
(Gadalla et al, 2003) 19



CDU Aggregate Model – Issues (2)

- Features
 - Each column is modeled individually
 - The column feed is the combined feed stage inlet & outlet streams
- Steam Stripping
 - Conveniently implemented using the aggregate model
 - Short cut equation implementation
 - Question of application and results
 - Developed for reboiled column
 - Different Temperature profile

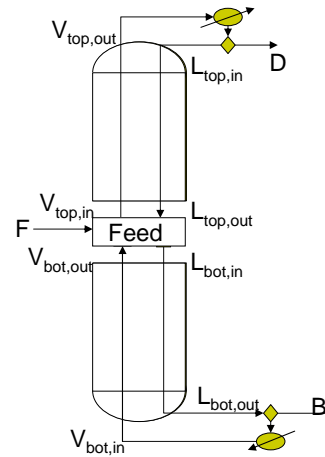


Cascaded Columns Representation of a Crude Distillation Column
(Gadalla et al, 2003) 20



Nonlinear Model Initialization

- Important for convergence
- Optimized column material balance
 - Based on recovery of distributed components
 - No energy balance or equilibrium equation
- Identified additional constraints
 - $R_i > R_{j-1} + B_j$
 - $F_1 = D_j + \sum_{k=1}^j B_k$



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Conclusion

- Preliminary research to build a nonlinear refinery planning & scheduling model
- LP model using fixed yield & swing cut approaches
- Aggregate model equation implementation
 - Assessing the benefit of introducing nonlinearity
 - Explore other nonlinear implementation
- Extend the model to multi-period
- Upgrade process model for other important units

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Optimal Model-Based Production Planning for Refinery Operation

Thank you