
$\qquad$
$\qquad$
$\qquad$

## Principles Applied in This Chapter

- Principle 1: Money Has a Time Value.
- Principle 2: There is a Risk-Return Tradeoff.
- Principle 3: Cash Flows Are the Source of Value
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$


## Corporate Borrowings

$\square$ There are two main sources of borrowing for a $\qquad$ corporation:

1. Loan from a financial institution (known as private $\qquad$ debt since it involves only two parties)
2. Bonds (known as public debt since they can be $\qquad$ traded in the public financial markets)
$\qquad$
$\qquad$
$\qquad$

## Borrowing Money in the Private <br> Financial Market

$\square$ Financial Institutions provide loans

- Working capital loans to finance firm's day-to-day operations
- Transaction loans for the purchase of equipment or property
- Loans may or may not be secured by a collateral.


## Table 9-1 Types of Bank Debt


$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Floating-Rate Loans

- In the private financial market, loans are typically floating rate loans
- The interest rate is adjusted based on a specific benchmark rate.
- The most popular benchmark rate is the London Interbank Offered Rate (LIBOR), rate at which banks offer to lend in the London wholesale or interbank market
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

| Floating-Rate Loans |
| :--- |
| - In the private financial market, loans are typically |
| floating rate loans |
| - The interest rate is adiusted based on a specific |
| benchmark rate. |
| - The most popular benchmark rate is the London |
| Interbank Offered Rate (LIBOR), rate at which banks |
| offer to lend in the London wholesale or interbank |
| market |

## Floating-Rate Loans

$\qquad$

For example, a corporation may get a 1-year loan with a rate of 300 basis points (or $3 \%$ ) over LIBOR with a ceiling of $11 \%$ and a floor of $4 \%$.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## CHECKPOINT 9.1: CHECK YOURSELF

## Calculating the Rate of Interest on a Floating-Rate Loan

Consider a 1 year loan period
Spread over LIBOR is 75 basis points ( $00.75 \%$ ).
Ceiling $=2.50 \%$, floor $=1.75 \%$
Is the ceiling rate or floor rate violated during the loan period?

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Step 2: Decide on a Solution Strategy

$\square$ We have to determine the floating rate for every week and see if it exceeds the ceiling or falls below the floor. $\qquad$

- Floating rate on Loan
$=$ LIBOR for the previous week + spread of $.75 \%$ $\qquad$
The floating rate on loan cannot exceed the ceiling rate of $2.5 \%$ or drop below the floor rate of $1.75 \%$. $\qquad$
$\qquad$
$\qquad$

Step 3: Solve $\qquad$

|  | LIBOR | LIBOR + <br> Spread <br> $(.75 \%)$ | Loan <br> Rate |
| :---: | ---: | ---: | :--- |
| $2 / 29 / 2008$ | $1.98 \%$ |  |  |
| $3 / 7 / 2008$ | $1.66 \%$ | $2.73 \%$ | $2.50 \%$ |
| $3 / 14 / 2008$ | $1.52 \%$ | $2.44 \%$ | $2.41 \%$ |
| $3 / 21 / 2008$ | $1.35 \%$ | $2.27 \%$ | $2.27 \%$ |
| $3 / 28 / 2008$ | $1.60 \%$ | $2.10 \%$ | $2.10 \%$ |
| $4 / 4 / 2008$ | $1.63 \%$ | $2.35 \%$ | $2.35 \%$ |
| $4 / 11 / 2008$ | $1.67 \%$ | $2.38 \%$ | $2.38 \%$ |
| $4 / 18 / 2008$ | $1.88 \%$ | $2.42 \%$ | $2.42 \%$ |
| $4 / 25 / 2008$ | $1.93 \%$ | $2.63 \%$ | $2.50 \%$ |
| $5 / 2 / 2008$ |  | $2.68 \%$ | $2.50 \%$ |

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Step 4: Analyze

$\square$ If there were no ceiling, the loan rate would have $\qquad$ been $2.73 \%$ during the first week of the loan, and $2.63 \%$ and $2.68 \%$ during the last two weeks of the loan.

- The rate was set to the ceiling of $2.50 \%$ for those three $\qquad$ weeks.


## Corporate Bonds

$\square$ Corporate bond is a debt security issued by corporation that has promised future payments and a maturity date.

- If the firm fails to pay the promised future payments of interest and principal, the bond trustee can classify the firm as insolvent and force the firm into bankruptcy.


## Basic Bond Features

$\square$ The basic features of a bond include the following: $\square$ Bond indenture

- Claims on assets and income $\qquad$
- Par or face value
- Coupon interest rate $\qquad$
- Maturity and repayment of principal
- Call provision and conversion features $\qquad$
$\qquad$
$\qquad$

| Bond Terminology |  |
| :---: | :---: |
| Indenture | The legal agreement between the firm issuing the bonds and the bond trustee who represents the bondholders. It lists the specific terms of the loan agreement, including a description of the bonds, the rights of the bondholders, the rights of the issuing firm, and the responsibilities of the trustee. |
|  | In the case of insolvency, elaims of debt in general, including bonds, are honored before those of both common stock and preferred stock. for common and preferred stock. |
| Par value | The par value of a bood. ato kown as is face valace, it the p pincipipal that must be repaid to the <br>  Atom when bond prices |
| Maturit yan erpayment |  |
| Coppon intereat rate |  |
| Curren y yeda | The current yield on a bond refers to the ratio of the annual interest payment to the bond's current market price. If, for example, we have a bond with an $8 \%$ coupon interest rate, a par value of $\$ 1$ as follows: $\begin{aligned} \text { Current Yield } & =\frac{\text { Annual Interest Payment }}{\text { Current Market Price of the Bond }}=\frac{0.08 \times \$ 1.000}{\$ 700} \\ & =\frac{\$ 80}{\$ 700}=0.114 \text { or } 11.4 \% \end{aligned}$ |
| Call provision | The call provison prowides the isuere of the bood with he reght wo redeem or retire a bond before it |
| Conversion frature | In addition, some bonds have a conversion feature that allows bondholders to convert their bonds into a set number of shares of common stock. |

## Types of Corporate Bonds

| Dromoturs |  |
| :---: | :---: |
| Sabordinated debentures | The claims of the suboetimuted detventires are hoeored enly after the claims of secured debtr and umubordinated deteneares have been sativfied. |
| Matrese toats |  |
| Earomes |  <br>  iblered s Furchont |
| very-low-coupon beands |  ments. Consequently, the bondbolder recerves all or mont puy lime or no interest they must sell at a deep discount. <br> For the invetur, a rero-coupos bond is like U US. savings bred. The obvisus appeal of zero-coupon bonds -s fo those investor $=$ bo necd a lump sum of moncy at some future date but doe't want to be concermed <br>  <br> STRIPS. |
| Junk (high-ylield) bonds |  Junk boeds are alvo called high-yl those of the Mighest rated toods. |
| Hovinerste tomes |  rent markef interest nates. These boods are |
| nots |  |

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
 $\qquad$

## Borrowing Money in the Public Financial Market

Corporations engage the services of an investment banker while raising long-term funds in the public financial market. The investment banker performs three basic functions:

- Underwriting: assuming risk of selling a security issued. The client is given the money before the securities are sold to the public.
- Distributing $\qquad$
- Advising

Interpreting Bond Ratings

| Bond Rating Category |  <br> Poor's |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Investment Grade: | Moody's |  |  |  |

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Valuing Corporate Debt

The value of corporate debt is equal to the present value of the contractually promised principal and interest payments (the cash flows) discounted back to
$\qquad$ the present using the market's required yield to maturity on similar risk. $\qquad$
$\qquad$
$\qquad$
$\qquad$

## Valuing Corporate Debt

Step 1: Determine bondholder cash flows, which are the the amount and timing of the bond's promised interest and principal payments to the bondholders. $\qquad$
$\square$ Annual Interest $=$ Par value $\times$ coupon rate
-Example 9.1: The annual interest for a 10 -year bond with coupon interest rate of $7 \%$ and a par value of $\$ 1,000$ is equal to $\$ 70,(.07 \times \$ 1,000=\$ 70)$. This bond will pay $\$ 70$ every year and $\$ 1,000$ at the end of 10 -years. $\qquad$
$\qquad$
$\qquad$

## Valuing Corporate Debt

Step 2: Estimate the appropriate discount rate on a bond of similar risk.
Discount rate is the return the bond will yield if it is held to maturity and all bond payments are made.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Valuing Corporate Debt

Step 3: Calculate the present value of the bond's interest and principal payments from Step 1 using the discount rate in step 2.

```
Bond
```

Calculating a Bond's Yield to Maturity (YTM)

We can think of YTM as the discount rate that makes the present value of the bond's promised interest and principal equal to the bond's observed market price.


## CHECKPOINT 9.2: CHECK YOURSELF

## Calculating the Yield to Maturity on a Corporate Bond

Calculate the YTM on the Ford bond where the bond price rises to $\$ 900$ (holding all other things equal).

- 11 year maturity
- $6.5 \%$ coupon rate
- $\$ 1000$ face value


## Step 1: Picture the Problem



- Purchase price $=\$ 900$
$\square$ Interest payments $=\$ 65$ per year for years 1-11
$\square$ Final payment $=\$ 1,000$ in year 11 of principal.

Step 2: Decide on a Solution Strategy

YTM is the solution to
Bond Price $=\frac{\text { Interest }_{\text {year }} 1}{(1+Y T M)^{1}}+\frac{\text { Interest }_{y \text { gar } 2}}{(1+Y T M)^{2}}+\frac{\text { Interest }_{\text {year }} 3}{(1+Y T M)^{3}}+\cdots+\frac{\text { Interest }_{\text {year } n}}{(1+Y T M)^{n}}+\frac{\text { Principal }^{(1+Y T M)^{n}}}{(1)}$

## Step 3: Solve

Using a Financial Calculator $\qquad$
Need to find interest rate
$N=11$
PV $=-90$
PMT $=65$
FV $=1,000$

- $\quad 1 / Y=7.89$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$


## Step 4：Analyze

－The yield to maturity on the bond is $7.89 \%$ ．
－The yield is higher than the coupon rate of interest of 6．5\％．
$\square$ Since the coupon rate is lower than the yield to maturity，the bond is trading at a price below $\$ 1,000$ ．
－We call this a discount bond．

Corporate Bond Credit Spread Tables

| Corporate Bond Credit Spread Tables |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | metury |  |  |  |  |
| nathes | ＇1x | ${ }^{2 w}$ | ${ }^{3 n}$ | sr | 7\％ | 10\％ | 30 r |  |
|  | 5 | ${ }_{2}$ | 12 31 | ${ }_{4}^{19}$ | ${ }_{35}^{35}$ | ${ }_{70} 9$ | ${ }_{\text {78 }}^{108}$ |  |
|  | 13 | 36 | so | 6 | 79 | 9 | ${ }^{128}$ |  |
| Aman－ | 16 | 40 | 5 | 7 | 8 | $\%$ | 13 |  |
| ${ }_{\text {A }}^{1 / 2} \times$ | 17 | ${ }_{\infty}$ | ${ }_{79} 8$ | ${ }_{9}^{76}$ | ${ }_{\text {888 }}$ | 118 | 129 <br> 152 |  |
| Аマイス－ | 3 | 84 | 103 | ${ }_{127}$ | 193 | 180 | 210 |  |
| namana + | ${ }^{78}$ | 113 | 132 | 157 | ${ }^{174}$ | 191 | ${ }^{245}$ |  |
|  | －158 | ${ }_{137}^{137}$ | 100 215 | ${ }_{24}^{128}$ | ${ }_{208}^{208}$ | ${ }_{278}^{27}$ | ${ }_{280}^{288}$ |  |
|  | 157 231 | ${ }_{28}^{128}$ | ${ }_{315}^{215}$ | ${ }_{37}^{242}$ | ${ }_{3}^{258}$ | ${ }_{278}^{278}$ | ${ }_{43}^{318}$ |  |
|  | ${ }^{34}$ | 379 | ${ }^{403}$ | 43 | 4 ss | 479 | 32 | －40x＋ $2700 \times-7$ cox |
| － | 330 | ${ }_{564}^{472}$ | （988 | ${ }_{5}^{528}$ | 5 | sso | ${ }^{229}$ |  |
|  | Stiol | Sos | ¢02 | ${ }_{719}^{623}$ |  | ${ }_{781}$ | ${ }_{824}^{727}$ |  |
| （123 | ${ }_{7}^{24}$ | ${ }^{26}$ | ${ }_{\text {cos }}$ | ${ }_{814}$ | ${ }_{80} 7$ | ${ }_{881}^{881}$ | ${ }_{92}^{82}$ |  |
| cmuccect | 810 | 841 | 875 | 988 | ${ }^{24}$ | 92 | 1020 |  |
| US．Trearer Yetad | 0.188 | 0．33\％ | 0．32\％ | ${ }_{\text {a }}^{\text {a }}$ | 1．008 | 1．598 | 2784 |  |

Promised versus Expected Yield to Maturity

The yield to maturity calculation assumes that the bond performs according to the terms of the bond contract or indenture．
Since corporate bonds are subject to risk of default， the promised yield to maturity may not be equal to expected yield to maturity．
That is，we need to take account of the default risk in our YTM calculation
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\square$ Example Consider a one-year bond that promises a coupon rate of $8 \%$ and has a principal (par value) of $\$ 1,000$. Further assume the bond is currently trading for $\$ 850$.
Promised YTM $\qquad$
$=\left\{\left(\right.\right.$ Interest ${ }_{\text {year } 1}+$ Principal $) \div$ (Bond Value $\left.)\right\}-1$
$=\{(\$ 80+\$ 1,000) \div(\$ 850)\}-1=\mathbf{2 7 . 0 6 \%}$ $\qquad$
$\qquad$
$\qquad$

## Promised versus Expected Yield to Maturity

- Assume there is a $40 \%$ probability of default on this bond
- If the bond defaults, the bondholders will receive only $\qquad$ $60 \%$ of the principal and interest owed.
- What is the expected YTM on this bond? $\qquad$
YTM defoult
$=\left\{\left(\right.\right.$ Interest ${ }_{\text {year } 1}+$ Principal) $\} \div$ (Bond Value) $\}-1$
$=\{(\$ 80+\$ 1000) \times .60\} \div(\$ 850)\}-1=-23.76 \%$

Promised versus Expected Yield to Maturity

```
E(YTM)
            = YTM MoDefault }\times(1-\operatorname{Prob}(Default)
            + YTM (Default }\times\mathrm{ Prob(Default)
    =(27.06 \times .60) + (-23.76 \times .40)
    = 6.73%
```

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

| Promised versus Expected Yield to Maturity |
| :---: |
| $\begin{aligned} & \square(Y T M) \\ &=\text { YTM }_{\text {NoDefoult }} \times(1-\operatorname{Prob}(\text { Default })) \\ &+ \text { YTM }_{\text {Default }} \times \text { Prob }(\text { Default }) \\ &=(27.06 \times .60)+(-23.76 \times .40) \\ &= 6.73 \% \end{aligned}$ |

## Ratings and Default Risk

```
Historical Default Experience of Bonds Rated by Fitch
```



```
lllllllllll
```



```
Raving BB- BB BB. B- B- B B. B. CCC- CCC CC CO
10.y. De:xult Prob. 10.1%%,
Defuvlt Rate (ann) 1.07% 1.45% 2.04% 2.59% 3.24% 4.30% 5.6.6%%
Source: Koval, Jurek and Stafford 2008
```


$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## CHECKPOINT 9.3: CHECK YOURSELF

## Valuing a Bond Issue

Calculate the value of the AT\&T bond should the yield to maturity for comparable risk bonds rise to $9 \%$ (holding all other things equal).
20 year bond
8.5\% coupon rate
$\$ 1000$ par value
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Step 2: Decide on a Solution Strategy $\qquad$

- Here we know the following:
- Annual interest payments $=\$ 85$
- Principal amount or par value $=\$ 1,000$ $\qquad$
- Time $=20$ years
- YTM or discount rate $=9 \%$ $\qquad$
$\square$ We can use the above information to determine the value of the bond by discounting future interest and principal payment to the present.
$\qquad$
$\qquad$
$\qquad$


## Step 3: Solve

Using a Mathematical Formula $\qquad$
$\begin{array}{r}\text { Bond } \\ \text { Value }\end{array}=$ Interest $\left[\frac{1-\frac{1}{\left(1+Y T M_{\text {Market }}\right)^{n}}}{Y T M_{\text {Market }}}\right]+\operatorname{Principal}\left[\frac{1}{\left(1+Y T M_{\text {Market }}\right)^{n}}\right]$
$=\$ 85\left\{\left[1-\left(1 /(1.09)^{20}\right] \div(.09)\right\}+1,000 /(1.09)^{20}\right.$
$=\$ 85(9.128)+\$ 178.43$
= \$954.36

## Step 3: Solve

Using a Financial
Calculator
$\square \mathrm{N}=20$
$\square \mathbf{I} / \mathrm{Y}=9.0$

- PMT $=85$

पFV $=1000$
ם $P V=954.36$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Step 4: Analyze

$\qquad$

- The value of AT\&T bond falls to $\$ 954.36$ when the yield to maturity rises to $9 \%$. The bonds are now trading at a discount as the coupon rate on AT\&T $\qquad$ bonds is lower than the market yield.
- An investor who buys AT\&T bonds at its current $\qquad$ discounted price will earn a promised yield to maturity of $9 \%$. $\qquad$
$\qquad$
$\qquad$

| Semiannual Interest Payments |
| :---: |
| Corporate bonds typically pay interest to bondholders semiannually. |

## CHECKPOINT 9.4: CHECK YOURSELF

Valuing a Bond Issue That Pays Semiannual Interest
Calculate the present value of the AT\&T bond should the yield to maturity on comparable bonds rise to $9 \%$ (holding all other things equal).

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Step 2: Decide on a Solution Strategy
$\square$ Here we know the following:

- Semiannual interest payments $=\$ 42.50$
- Principal amount or par value $=\$ 1,000$
- Time $=20$ years or 40 periods
- YTM or discount rate $=9 \%$ or $4.5 \%$ for 6-months
$\square$ We can use the above information to determine the value of the bond by discounting future interest and principal payment to the present.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$


## Step 3: Solve

$$
\begin{aligned}
& \text { Using a Mathematical Formula } \\
& \begin{array}{c}
\text { Bond Value } \\
\text { emiannual payments })
\end{array}=(\text { Interest } / 2)\left[\frac{1-\frac{1}{\left(1+\frac{\gamma T M_{\text {Mathet }}}{2}\right)^{2 n}}}{\frac{\gamma T M_{\text {Mated }}}{2}}\right]+\text { Principal }\left[\frac{1}{\left(1+\frac{\gamma T M_{\text {satest }}^{2 n}}{2}\right)^{2 n}}\right] \\
& =\$ 42.5\left\{\left[1-\left(1 /(1.045)^{40}\right] \div(.20)\right\}+\$ 1,000 /(1.045)^{40}\right. \\
& =\$ 42.5(18.40)+\$ 171.93 \\
& =\$ 953.996
\end{aligned}
$$

## Step 3: Solve

Using a Financial
Calculator
$\mathbf{\square} N=40$

- $1 / y=4.50$
- PMT $=42.50$
- $F V=1000$

■ $P V=953.996$

## Step 4: Analyze

Using semi-annual compounding we get a value of $\qquad$ $\$ 953.9960$ for AT\&T bonds. This is very close to the value of $\$ 954.36$ found using annual compounding. $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$


Figure 9-1 Bond Value and the Market's Required Yield to Maturity (5-Year Bond, $12 \%$ Coupon Rate) $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Bond Valuation: Four Key Relationships

$\square$ Second Relationship: The market value of a bond $\qquad$ will be less than the par value (discount bond) if the market's required yield to maturity is above the coupon interest rate and will be valued above par value (premium bond) if the market's required yield to maturity is below the coupon interest rate.
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Bond Valuation: Four Key Relationships

$\square$ Third Relationship As the maturity date approaches, the market value of a bond approaches its par value.

- That's because at maturity the bond will be taken away and the investor will receive the par value of the bond.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$


## Value of a 12\% Coupon Bond during the Life of the Bond



## Bond Valuation: Four Key Relationships

Fourth Relationship Long term bonds have greater $\qquad$ interest-rate risk than short-term bonds.
$\square$ While all bonds are affected by a change in interest rates, the prices of longer-term bonds fluctuate more when interest rates change than do the prices of shorter-term bonds (see Table 9.6)
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Bond Valuation: Four Key Relationships

$\square$ First Relationship The value of bond is inversely related to changes in the yield to maturity.

|  | YTM $=12 \%$ | YTM rises to <br> $15 \%$ | YTM rises to <br> $15 \%$ |
| :--- | :---: | :---: | :---: |
| Par value | $\$ 1,000$ | $\$ 1,000$ | $\$ 1,000$ |
| Coupon rate | $12 \%$ | $12 \%$ | $12 \%$ |
| Maturity date | 5 years | 5 years | 10 years |
| Bond Value | $\$ 1,000$ | $\$ 899.44$ | $\$ 839.44$ |

## Determinants of Interest Rates

- As we observed earlier, bond prices vary inversely with interest rates.
- Therefore in order to understand how bond prices fluctuate, we need to know the determinants of interest rates.


## Inflation and Real versus Nominal Interest Rates

$\square$ Quotes of interest rates in the financial press are commonly referred to as the nominal (or quoted) interest rates.
$\square$ Real rate of interest adjusts for the effects of inflation.

## Fisher Effect:

The Nominal and Real Rate of Interest

- The relationship between the nominal rate of interest, $r_{\text {nominal }}$, the anticipated rate of inflation,
$r_{\text {inflation }}$, and the real rate of interest is known as the Fisher effect.
$\square 1+r_{\text {nominal }}=\left(1+r_{\text {real }}\right)\left(1+r_{\text {inflation }}\right)$
$=1+r_{\text {real }}+r_{\text {inflation }}+r_{\text {real }} * r_{\text {inflation }}$
$\approx 1+r_{\text {real }}+r_{\text {inflation }}$


## Interest Rate Determinants

- We can think of the reported nominal = interest rate on a bond as having five components:
- Real risk-free rate
- The inflation premium
- Default-risk premium
- Maturity-risk premium
- Liquidity-risk premium



## The Maturity-Risk Premium and the Term Structure of Interest Rates

$\square$ The relationship between interest rates and time to $\qquad$ maturity with risk held constant is known as the term structure of interest rates or the yield curve.

- Figure 9-3 illustrates a hypothetical term structure $\qquad$ of U.S. Treasury Bonds.


## Figure 9-3 The Term Structure of Interest Rates or Yield Curve



## The Shape of the Yield Curve

By reviewing equation 9-5, we can gain insight into the shape of the yield curve for US Treasuries. Since there is no default risk or liquidity risk and the realrisk free rate of interest is unlikely to change, the shape of the yield curve is driven by inflation premium and maturity risk premium.

## The Shape of the Yield Curve

During periods when inflation is expected to subside, the inflation premium should decrease over longer maturities, resulting in a downward sloping Treasury yield curve as shown in Figure 9.5. The reverse is also true as shown in Figure 9.4

Figure 9.4
Treasury Yield Curve during
Period of Increasing Inflation


| Maturity | Real Risk- <br> Free Rate | Inflation <br> Premium | Maturity-Risk <br> Premium | Yield |
| :---: | :---: | :---: | :---: | :---: |
| 90 days | $1.00 \%$ | $1.75 \%$ | $0.01 \%$ | $2.76 \%$ |
| 2 years | $1.00 \%$ | $2.15 \%$ | $0.11 \%$ | $3.26 \%$ |
| 5 years | $1.00 \%$ | $2.56 \%$ | $0.57 \%$ | $4.13 \%$ |
| 10 years | $1.00 \%$ | $3.05 \%$ | $0.97 \%$ | $5.02 \%$ |
| 20 years | $1.00 \%$ | $3.42 \%$ | $1.32 \%$ | $5.74 \%$ |
| 30 years | $1.00 \%$ | $3.60 \%$ | $1.50 \%$ | $6.10 \%$ |

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Shifts in the Yield Curve

$\square$ The yield curve changes over time as expectations regarding each of the four factors that underlie interest rates change.
$\square$ Figure $9-6$ shows the yield curve one day before 911 attack and again two weeks later. Investors
$\qquad$
$\qquad$
$\qquad$
$\qquad$ shifted their funds to the safety of Treasuries, pushing up the prices and bringing down the yields.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$



Figure 9-6 Changes in the Term Structure of Interest Rates around September 11, 2001


## Shifts in the Yield Curve

$\square$ The yield curve is generally upward sloping but it can assume different shapes i.e. downward sloping or flat.

- Figure 9-7 illustrates different shapes of yield curves at different dates, observed within a span of only 13 months.

Figure 9.7 Historical Term Structure of Interest Rates for Government Securities

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

$\qquad$
$\qquad$

| International Yield Curves |
| :---: |
| $\square \frac{\text { https://www.bondsupermart.com/main/market- }}{\text { info/yield-curves-chart }}$ |
|  |
|  |
|  |
|  |
|  |

