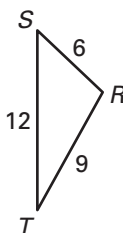
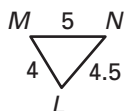
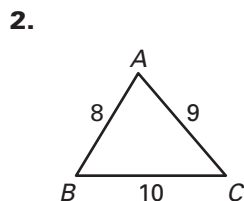
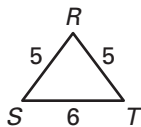
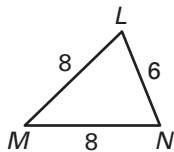
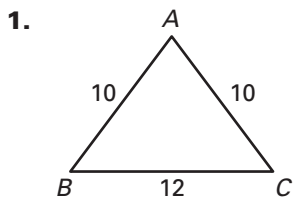


LESSON
6.4

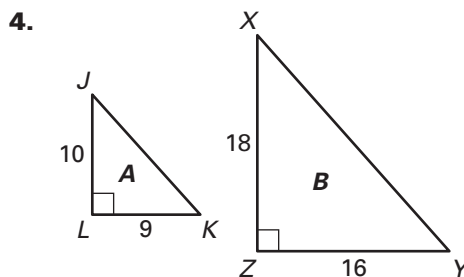
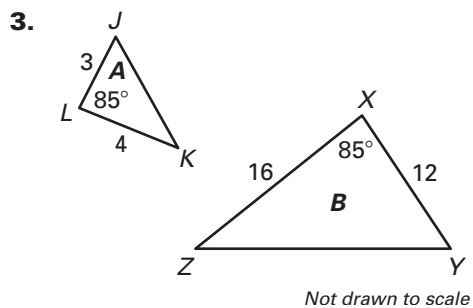
Practice B

For use with the lesson "Prove Triangles Similar by SSS and SAS"

Is either $\triangle LMN$ or $\triangle RST$ similar to $\triangle ABC$?



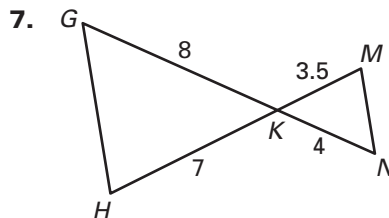
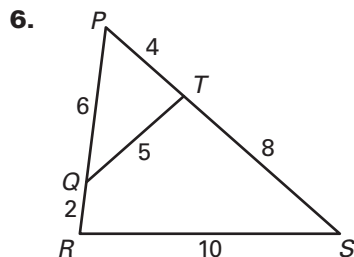
Determine whether the two triangles are similar. If they are similar, write a similarity statement and find the scale factor of $\triangle A$ to $\triangle B$.



5. **Algebra** Find the value of m that makes $\triangle ABC \sim \triangle DEF$ when $AB = 3$, $BC = 4$, $DE = 2m$, $EF = m + 5$, and $\angle B \cong \angle E$.

Show that the triangles are similar and write a similarity statement.

Explain your reasoning.



Lesson 6.4 Prove Triangles Similar by SSS and SAS, continued

5. $\frac{RS}{XY} = \frac{4}{6} = \frac{2}{3}$, $\frac{ST}{YZ} = \frac{6}{9} = \frac{2}{3}$, so two pairs of sides

are proportional. Because the included angles $\angle S$ and $\angle Y$ are right angles, they are congruent. Therefore, $\triangle RST \sim \triangle XYZ$ by SAS Similarity

Thm.; scale factor: $\frac{2}{3}$

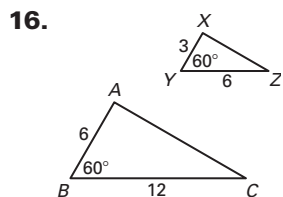
6. $\frac{RT}{XZ} = \frac{28}{16} = \frac{7}{4}$, $\frac{ST}{YZ} = \frac{21}{12} = \frac{7}{4}$, so two pairs of

sides are proportional, and their included angles are congruent ($\angle T \cong \angle Z$). Therefore, $\triangle RST \sim \triangle XYZ$ by SAS Similarity Thm.;

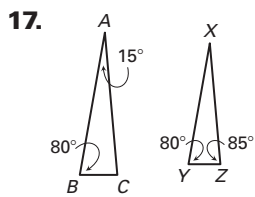
scale factor: $\frac{7}{4}$ 7. $\triangle JKL \sim \triangle TUV$; $\frac{9}{5}$ 8. no

9. yes; $\triangle CDG \sim \triangle CEF$; $\frac{5}{9}$ 10. no

11. yes; SSS Similarity Thm. 12. yes; SAS Similarity Thm. 13. no 14. yes; SSS Similarity Thm. 15. yes; AA Similarity Post.



SAS Similarity Thm



AA Similarity Post.

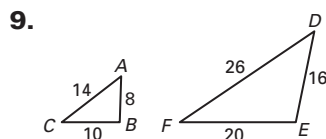
18. a. AA Similarity Post. b. Sample answer: Use the similar triangles to set up the proportion

$$\frac{\ell}{10} = \frac{28}{8}; 35 \text{ ft}$$

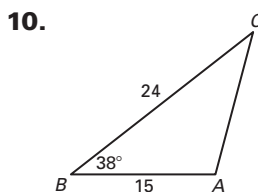
Practice Level B

1. $\triangle RST$ 2. $\triangle LMN$ 3. $\triangle JLK \sim \triangle YXZ$; 1:4

4. not similar 5. 3 6. $\triangle PQT \sim \triangle PSR$; SSS Similarity Theorem 7. $\triangle KNM \sim \triangle KGH$; SAS Similarity Theorem 8. B



$\triangle ABC$ cannot be similar to $\triangle DEF$ because not all corresponding sides are proportional.



$\triangle ABC \sim \triangle DEF$; SAS Similarity Theorem

11. $\triangle EDC$ 12. 45° 13. 10.5

14. 135° 15. 22 ft 16. 12 ft

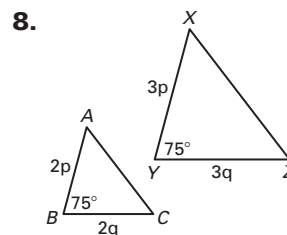
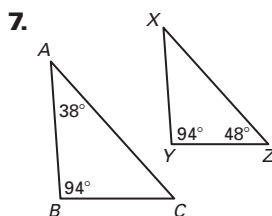
Practice Level C

1. yes; $\triangle ABC \sim \triangle DEC$ by AA 2. no 3. yes; $\triangle LMN \sim \triangle DMP$ by SAS

4. Mark DF as 30 to use SSS.

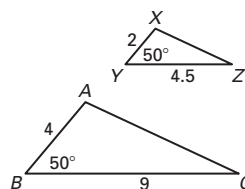
5. Mark $m\angle J$ as 79° to use SAS.

6. Mark UV as $44\frac{4}{9}$ to use SAS.



AA Similarity Post. SAS Similarity Thm.

9. SAS Similarity Thm.



10. 45° 11. 85° 12. 10 13. $10\sqrt{2}$

14. $10 + \sqrt{69}$ 15. $\triangle ABD \sim \triangle GFD$, $\triangle CBD \sim \triangle EFD$, $\triangle ACD \sim \triangle GED$

16. $x = 10, y = 5$ 17. $x = 76, y = 5$

18. $x = 8, y = 4, z = 2\frac{1}{3}$

19. Sample answer: You are given that $\triangle ABC$ is equilateral, so $AB = BC = AC$ by the definition of an equilateral \triangle . It is given that \overline{DE} , \overline{DF} , and \overline{EF} are midsegments, so $DE = \frac{1}{2}BC$,

$EF = \frac{1}{2}AC$, and $DF = \frac{1}{2}AB$ by the midsegment

Thm. Then $DE = \frac{1}{2}BC$, $EF = \frac{1}{2}BC$, and

$DF = \frac{1}{2}BC$ by the Substitution Property of