# TI-83/84 Calculator Programs Used In Statistics



## **Probability Distributions**

Key Strokes	Format	Returns	
2ND VARS (= DISTR)	For normal distribution with mean $\mu$ a	For normal distribution with mean $\mu$ and standard deviation $\sigma$	
Option 2:	normalcdf( $Z_L$ , $Z_U$ , $\mu$ , $\sigma$ )	Probability that $Z_L \leq Z \leq Z_U$	
Option 3:	invnorm( P , μ , σ )	Value of Z , $Z_P$ , for which P is the probability that $Z \leq Z_P$	
	For t distribution with $N_{dof}$ degrees of freedom		
Option 4:	invT(P, N <sub>dof</sub> )*	Value of t , $t_p$ , for which P is the probability that $t \le t_P$	
Option 6:	$\textbf{tcdf}(\ t_L\ ,\ t_U\ ,\ N_{dof}\ )$	Probability that $t_L \leq \ \mathrm{t} \leq t_U$	
	For binomial distribution with n trials, probability of success p		
Option A:	<b>binompdf</b> (n, p, x)	Probability of exactly x successes in n trials	
Option B:	<b>binomcdf</b> (n, p, x)	Probability of x or fewer successes in n trials	

<sup>\*</sup>invT not available for TI-83

#### **Confidence Intervals**

Key Strokes	What to Enter	Returns
STAT ▶ ▶ (to TESTS)	For normal distribution(s)	
Option 7:	<b>ZInterval</b> : Use <b>Data</b> (in a list) or <b>Stats</b> with standard deviation $\sigma$ , sample mean $\bar{x}$ , and sample size $n$	Confidence interval for population mean
Option 9:	<b>2-SampZint</b> : Use <b>Data</b> (in lists) or <b>Stats</b> with $\sigma_1$ , $\sigma_2$ , sample means $\bar{x}_1$ and $\bar{x}_2$ , sample sizes $n_1$ , and $n_2$	Confidence interval for difference between population <b>means</b> from two independent samples
Option A:	<b>1-PropZint:</b> Specify number of successes x in the sample, and sample of size n	Confidence interval for population <b>proportion</b> p
Option B:	<b>2-PropZint:</b> Specify numbers of successes, $x_1$ and $x_2$ for samples of size $n_1$ , and $n_2$	Confidence interval for difference between population <b>proportions</b> from two independent samples
	For t distribution(s)	
Option 8:	<b>Tinterval</b> : Use <b>Data</b> (in a list) or <b>Stats</b> with sample standard deviation $S_X$ , sample mean $\bar{x}$ , sample size n	Confidence interval for population mean
Option 0:	<b>2-SampTint</b> : Use <b>Data</b> (in lists) or <b>Stats</b> with sample standard deviations $s_{x_1}$ and $s_{x_2}$ , sample means $\bar{x}_1$ and $\bar{x}_2$ , for samples of size $n_1$ , and $n_2$	Confidence interval for difference between population means from two independent samples

### **Hypothesis Testing**

Key Strokes	What to Enter	Returns	
STAT ▶ ▶ (to TESTS)	For normal distribution(s)		
Option 1:	<b>Z-Test</b> : Use <b>Data</b> (in a list) or <b>Stats</b> with population mean $\mu_0$ , population $\sigma_0$ (for null hypothesis), sample mean $\bar{x}$ and sample size n	Tests alternate hypothesis that $\mu \neq \mu_0, \mu > \mu_0, \text{or} \ \mu < \mu_0 \text{ against}$ null hypothesis that $\mu = \mu_0$	
Option 3:	<b>2-SampZTest</b> : Use <b>Data</b> (in lists) or <b>Stats</b> with population means $\mu_1$ , $\mu_2$ , population $\sigma_1$ , $\sigma_2$ (for null hypothesis), sample means $\bar{x}_1$ and $\bar{x}_2$ and samples sizes $n_1$ and $n_2$	Tests alternate hypothesis that $\mu_1{\neq}\mu_2,\mu_1{>}\mu_2,\text{or}\ \mu_1{<}\mu_2\text{against}$ null hypothesis that $\mu_1{=}\mu_2$	
Option 5:	<b>1-PropZTest:</b> Specify population proportion p <sub>0</sub> , "number of successes" x in the sample, and sample size n	Tests alternate hypothesis that $p \neq p_0$ , $p > p_0$ , or $p < p_0$ against null hypothesis that $p = p_0$	
Option 6:	<b>2-PropZTest: the number of successes</b> $x_1$ and $x_2$ in the samples and the sample sizes $n_1$ , and $n_2$	Tests alternate hypothesis that $p_1 \neq p_2$ , $p_1 > p_2$ , or $p_1 < p_2$ against null hypothesis that $p_1 = p_2$	
	For t distribution(s)		
Option 2:	<b>T-Test</b> : Use <b>Data</b> (in a list) or <b>Stats</b> with population mean $\mu_0$ (for null hypothesis), sample mean $\bar{x}$ and sample standard deviation $s_x$ and the sample of size n	Tests alternate hypothesis that $\mu\neq\mu_0,\mu>\mu_0,\text{or}\ \mu<\mu_0\text{against}$ null hypothesis that $\mu=\mu_0$	
Option 4:	<b>2-SampTTest</b> : Use <b>Data</b> (in lists) or <b>Stats</b> with sample means $\bar{x}_1$ and $\bar{x}_2$ , sample sizes $n_1$ , and $n_2$	Tests alternate hypothesis that population means $\mu_1 \neq \mu_2 , \mu_1 \! > \! \mu_2 , \text{or} \  \   \mu_1 \! < \! \mu_2  \text{against}$ null hypothesis that $\mu_1 \! = \! \mu_2$	

#### General

Key Strokes	Format	Returns
MATH ▶ ▶ (to PRB)	(enter the number for N first, before the MATH key)	
Option 2:	N <b>nPr</b> R	number of permutations (arrangements) of N objects chosen R at a time (order matters)
Option 3:	N <b>nCr</b> R	number of combinations (groupings) of N objects chosen R at a time (order doesn't matter)
Option 4:	N!	N factorial = $N \times (N-1) \times (N-2) \dots \times 2 \times 1$ (N objects arranged in order)
Option 5:	randint(I <sub>LL</sub> , I <sub>UL</sub> , N)	Generates N random integers between I <sub>LL</sub> and I <sub>UL</sub>